Signal-background interference effects in Higgs-mediated diphoton production beyond NLO

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> RADCOR 29th May 2023

based on [2212.06287]

In collaboration with: P. Bargiela, F. Caola, F. Devoto, A. von Manteuffel and L. Tancredi







Outline of the talk

Higgs-exploration program: focus on deacy width

Bound on Higgs-boson width from on-shell measurements: Higgs interferometry

Mass-shift and its link to $\Gamma_{\rm H}$

Destructive interference and bounds on Γ_{H}

Calculation of signal-background interference in diphoton production beyond NLO QCD

diphoton three-loop amplitudes

Soft-virtual approximation

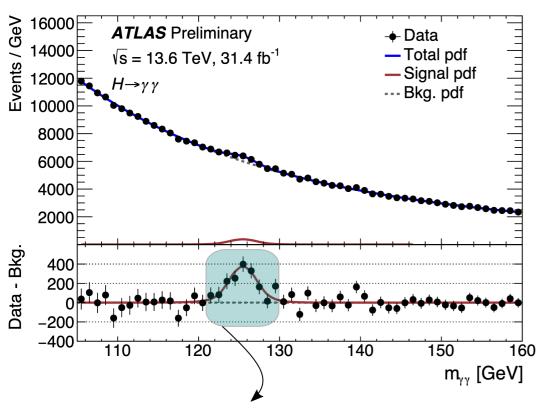
updated bounds on Higgs-boson width determination

Summary and outlook



The Higgs boson: properties and couplings

ATLAS "rediscovers" the Higgs @ 13.6 TeV (23.05.23)



SM prediction for $\Gamma_{\rm H} \sim 4~{\rm MeV}$

Dector resolution ~ few GeV

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We cannot measure Γ_H at the LHC directly, we can only put bounds



- Width
- CP properties and anomalous couplings
- Couplings to SM particles (EW sector + Yukawa)

This talk

Higgs potential

The Higgs-boson mass the 13 TeV LHC

CMS [Phys. Lett. B 805 (2020) 135425]

$$m_H(\gamma\gamma) = 125.78 \pm 0.18 \,(\text{stat}) \pm 0.18 \,(\text{syst}) \,\text{GeV}$$

 $m_H(4\ell) = 125.26 \pm 0.20 \,(\text{stat}) \pm 0.08 \,(\text{syst}) \,\text{GeV}$

ATLAS [Phys. Lett. B 805 (2020) 135425]

$$m_H(4\ell) = 124.99 \pm 0.18 \,(\mathrm{stat}) \,\pm 0.04 \,(\mathrm{syst}) \,\mathrm{GeV}$$

Proposals:

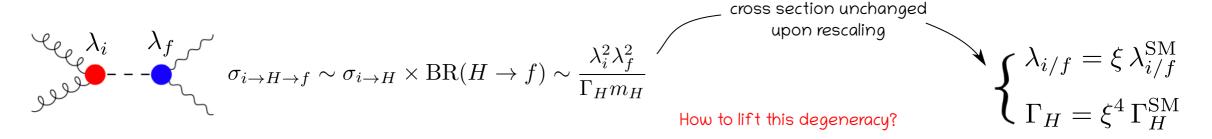
- Off-shell measurements
- On-shell measurements



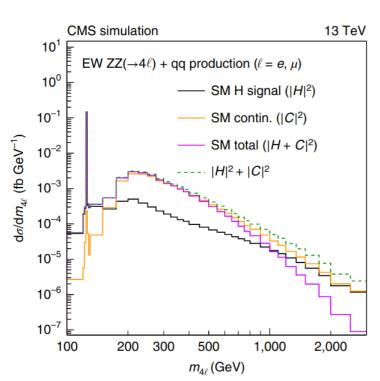




Bounds on Γ_H from off-shell meauserements



1) Off-shell cross sections measurements [N. Kauer, G. Passarino 1206.4803] [F. Caola, K. Melnikov 1307.4935]



$$\begin{array}{c|c} \hline \\ \hline \end{array} \end{array} \sigma \propto \int \left| \begin{array}{c} \omega_i \lambda_i & \lambda_f \\ \hline \end{array} \right|^2 \sim \int \frac{\lambda_i^2 \lambda_f^2}{(m_{VV}^2 - m_H^2)^2 + \Gamma_H^2 m_H^2} \stackrel{m_{VV} \gg m_H}{\longrightarrow} \int \frac{\lambda_i^2 \lambda_f^2}{m_{VV}^4} \\ \hline \end{array} \right| \sim \frac{\lambda_i^2 \lambda_f^2}{m_{VV}^2} = \frac{\lambda_i^2 \lambda_f^$$

$$\frac{\Gamma_H}{\Gamma_H^{\rm SM}} = \frac{\mu_{off-shell}}{\mu_{on-shell}}$$

ATLAS [2304.01523]

 $\Gamma_{\rm H}:4.5^{+3.3}_{-2.5}\,{
m MeV}$ + upper limit $10.5\,{
m MeV}$

CMS [2202.06923]

$$\Gamma_{H: 3.2^{+2.4}_{-1.7} \, \mathrm{MeV}}$$

Assumption:

couplings in the off-shell region are the same as in the on-shell region

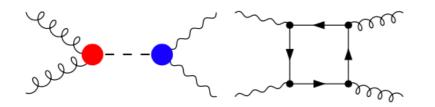




Signal-brackground interference in diphoton production

Higgs interferometry [S.P. Martin 1208.1533] [L.J. Dixon, Y. Li 1305.3854]

Consider on-shell Higgs-boson production in H -> $\gamma\gamma$ decay channel



$$\mathcal{M}_{gg o\gamma\gamma} = -rac{\mathcal{M}_{
m sig}}{m_{\gamma\gamma}^2 - m_H^2 + i\Gamma_H m_H} + \mathcal{M}_{
m bkg}$$

Interference lifts degeneracy on couplings/ Γ_{H} :

$$\left|\mathcal{M}_{gg\to\gamma\gamma}\right|^{2} = |S|^{2} + |B|^{2} + \frac{2m_{\gamma\gamma}^{2}}{(m_{\gamma\gamma}^{2} - m_{H}^{2})^{2} + \Gamma_{H}^{2}m_{H}^{2}} \left[(m_{\gamma\gamma}^{2} - m_{H}^{2})\operatorname{Re}I + \Gamma_{H}m_{H}\operatorname{Im}I \right]$$

$$\sim \lambda_{i}^{2}\lambda_{f}^{2}$$

Idea: any effect due to Interference can be used to constrain independently Γ_H of couplings

$$\operatorname{Re} I = \operatorname{Re} \mathcal{M}_{\operatorname{bkg}} \operatorname{Re} \mathcal{M}_{\operatorname{sig}} + \operatorname{Im} \mathcal{M}_{\operatorname{bkg}} \operatorname{Im} \mathcal{M}_{\operatorname{sig}}$$

"real-part" of the interference

What are suitable "observables"? How to harness interference effects?

$$\operatorname{Im} I = \operatorname{Re} \mathcal{M}_{\operatorname{bkg}} \operatorname{Im} \mathcal{M}_{\operatorname{sig}} - \operatorname{Im} \mathcal{M}_{\operatorname{bkg}} \operatorname{Re} \mathcal{M}_{\operatorname{sig}}$$

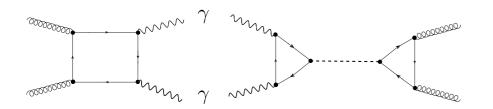
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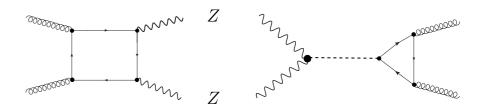
"imaginary-part" of the interference



Signal-brackground interference: why yy?

$$\left| \mathcal{M}_{gg \to VV} \right|^2 = |S|^2 \left[1 + \frac{2m_{VV}^2}{(m_{VV}^2 - m_H^2)^2 + \Gamma_H^2 m_H^2} \left((m_{VV}^2 - m_H^2) \operatorname{Re} \frac{B^{\dagger}}{S} + \Gamma_H m_H \operatorname{Im} \frac{B^{\dagger}}{S} \right) \right] + |B|^2$$





$$B_{\gamma\gamma} \sim \frac{g_s^2 e^2}{(4\pi)^2}$$

$$S_{\gamma\gamma} \sim \frac{g_s^2 e^2}{(4\pi)^4}$$

$$B_{\gamma\gamma} \sim \frac{g_s^2 e^2}{(4\pi)^2}$$
 $S_{\gamma\gamma} \sim \frac{g_s^2 e^2}{(4\pi)^4}$ $\frac{S_{\gamma\gamma}}{S_{ZZ}} \sim \frac{e}{(4\pi)^2}$ $B_{ZZ} \sim \frac{g_s^2 e^2}{(4\pi)^2}$ $S_{ZZ} \sim \frac{g_s^2 e^2}{(4\pi)^2}$

$$B_{ZZ} \sim \frac{g_s^2 e^2}{(4\pi)^2}$$

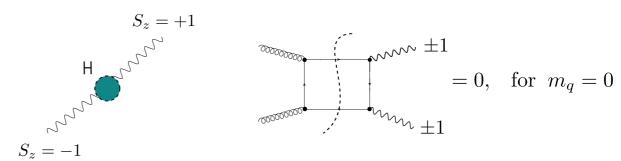
$$S_{ZZ} \sim \frac{g_s^2 e}{(4\pi)^2}$$

Naive power counting:

$$\frac{\sigma_{int,\gamma\gamma}}{\sigma_H} \sim 2 \frac{\Gamma_H}{m_H} \frac{(4\pi v)^2}{m_H^2} \sim 0.1$$

"Loop enhancement"

In reality, contribution to cross-section starts only at 2-loop



$$h(\gamma_1) = h(\gamma_2) = \pm 1$$



Real part of interference and the mass shift

$$I_{\rm Re} \propto \frac{2m_{\gamma\gamma}^2}{(m_{\gamma\gamma}^2 - m_H^2)^2 + \Gamma_H^2 m_H^2} (m_{\gamma\gamma}^2 - m_H^2) {\rm Re} I$$

$$\operatorname{Re} I = \operatorname{Re} \mathcal{M}_{\operatorname{bkg}} \operatorname{Re} \mathcal{M}_{\operatorname{sig}} + \operatorname{Im} \mathcal{M}_{\operatorname{bkg}} \operatorname{Im} \mathcal{M}_{\operatorname{sig}}$$

Real part

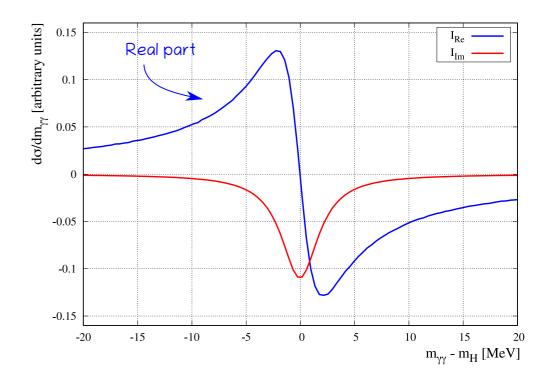
- Antisymmetric around the peak, does not contribute to the cross section
- unbalance of events around the Higgs peak: excess below the peak

apparent mass shift [S.P. Martin 1208.1533]



First pointed out in the context of precision Higgs boson mass measurements

Expected mass-shift @LO O(100 MeV) [S.P. Martin 1208.1533]



The mass shift is a direct consequence of signal-background interference.

How can one exploit this to put bounds on Γ_{H} ?

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Mass shift and bounds on Higgs width

Exploit linear dependence of interference on couplings to put bounds on Γ_{H} [Dixon, Li 1305.3854]

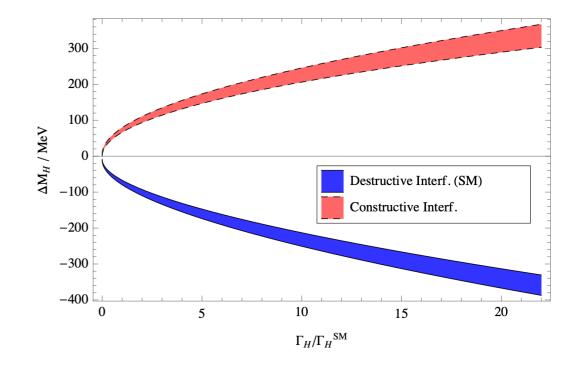
Idea:

- Allow Γ_{H} to differ from SM prediction
- Higgs coupling change accordingly in order to maintain roughly SM yield (good agreement with SM prediction)

Usual "flat direction in parameter space"

$$\frac{\lambda_{i,f} \to \xi_{i,f} \lambda_{i,f}}{(\xi_i \xi_f)^2 S} + \underbrace{\xi_i \xi_f I} \sim \frac{S}{m_H \Gamma_H^{SM}} + I$$

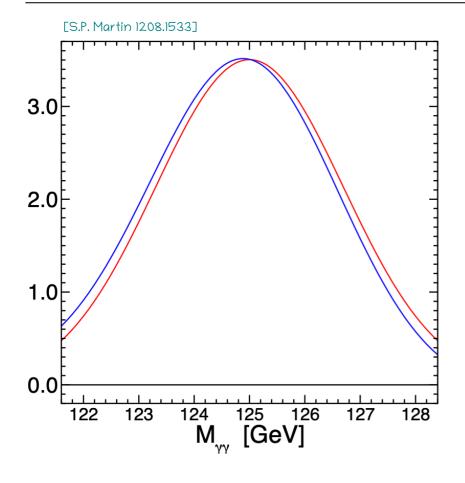
$$\text{Negligible for small} \\ \text{deviation from SM} \\ \text{prediction} \qquad \qquad \text{Interference effect on} \\ \text{cross section is small wrt} \\ \text{integrated signal}$$



$$\xi_i \xi_f \propto \Delta M_{\gamma\gamma} \propto \sqrt{\frac{\Gamma}{\Gamma_H}}$$



Theory estimation of the mass shift



Gaussian likelihood fit [Dixon, Li 1305.3854]

Extract mean value at fixed std. deviation

First moment of invariant mass distribution [S.P. Martin 1208,1533]

$$\sigma_0 = \int_{M_{\gamma\gamma} - \delta}^{M_{\gamma\gamma} + \delta} dM_{\gamma\gamma} \frac{d\sigma}{dM_{\gamma\gamma}}$$

$$\langle M_{\gamma\gamma} \rangle_{\delta} = \frac{1}{\sigma_0} \int_{M_{\gamma\gamma} - \delta}^{M_{\gamma\gamma} + \delta} dM_{\gamma\gamma} \frac{d\sigma}{dM_{\gamma\gamma}} M_{\gamma\gamma}$$

$$\Delta M_{\gamma\gamma} = \langle M_{\gamma\gamma} \rangle_{sig+int} - \langle M_{\gamma\gamma} \rangle_{sig}$$

Smearing effect from detector resolution



Theory approach:

Simulate detector resolution via Gaussian smearing.

Mass-shift O(100 MeV)

Realistic detector resolution: Mass-shift \sim 35 MeV

[ATL-PHYS-PUB-2016-009]

Imaginary part and the destructive interference

$$I_{\rm Im} \propto \frac{2m_{\gamma\gamma}^2}{(m_{\gamma\gamma}^2 - m_H^2)^2 + \Gamma_H^2 m_H^2} \; \Gamma_H m_H {
m Im} \, I$$

$$\operatorname{Im} I = \operatorname{Re} \mathcal{M}_{\operatorname{bkg}} \operatorname{Im} \mathcal{M}_{\operatorname{sig}} - \operatorname{Im} \mathcal{M}_{\operatorname{bkg}} \operatorname{Re} \mathcal{M}_{\operatorname{sig}}$$

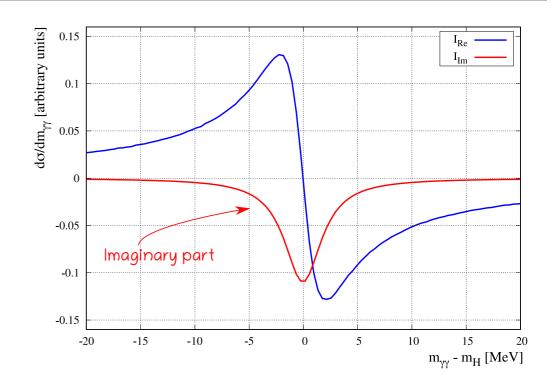
lmaginary part

- Symmetric around the peak, contributes to the cross section
- Relative phase of sig-bkg amplitudes is such that the interference is destructive

Expected impact on on-shell cross-section O(1%)



When uncertainty on Higgs cross-section measurements fall below 2% interference effects will become relevant



How can one exploit the contribution from the destructive interference to put bounds on Γ_H ?

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Bounds on Higgs-boson width from XS measurements

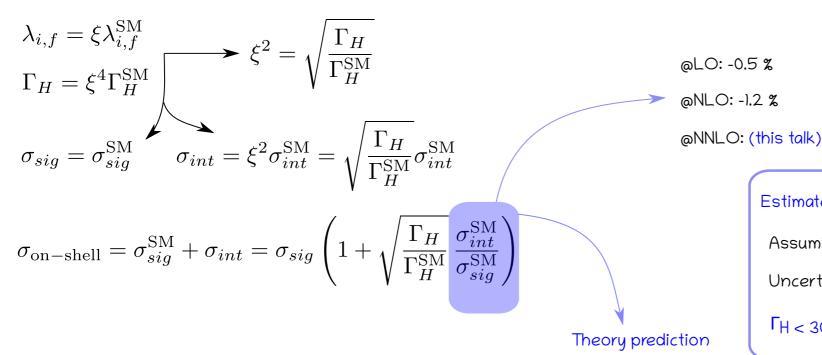
On-shell rate and the Higgs boson total width [Campbell, Carena, Harnik, Liu 1704.08259]

$$I_{\rm Im} \propto \frac{2m_{\gamma\gamma}^2}{(m_{\gamma\gamma}^2-m_H^2)^2+\Gamma_H^2 m_H^2} \; \Gamma_H m_H {\rm Im} \, I \qquad \qquad \sigma_{int} \propto \frac{\pi}{\Gamma_H m_H} \times \lambda_i \lambda_f \Gamma_H m_H$$

Linearly dependent on couplings

independent of width

Consider a simultaneous modification of couplings and width along the flat direction in parameter space



Estimates on bounds:

Assuming $\sigma_{\rm int}/\sigma_{\rm sig} \sim -1.5\%$

Uncertainty on $\gamma\gamma$ XS ~ 9% [ATL+CMS Nature 607, 60-68 (2022)]

 $\Gamma_{\rm H} < 30/40 \times \Gamma_{\rm H}^{\rm SM}$

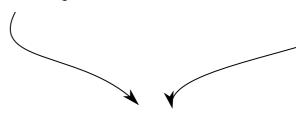
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State of the art of interference effects in diphoton production

- Leading-order analysis including gg channel only. Mass-shift estimated via first moment ~ 150 MeV [S.P. Martin 1208.1533]
- Inclusion of other partonic channels: qg and qq give an effect of ~30 MeV, opposite sign wrt gg channel, qg mainly responsible [D. de Florian, N. Fidanza, R. J. Hernandez-Pinto, J. Mazzitelli, Y. Rotstein Habarnau, F. R. Sborlini 1303.1397]
- Interference at NLO [Dixon and Siu hep-ph/0302233] and proposal to use mass-shift to put bounds on Γ_H [Dixon, Li 1305.3854]: mass-shift goes from \sim 120 MeV @LO to \sim 70 MeV @NLO
- Analysis at NLO focussed on integrated on-shell cross sections [Campbell, Caren, Harnik, Liu 1704.08259]: destructive interference contributing only at NLO (thus effectively LO). NNLO corrections could follow "Higgs-signal" pattern and increase with higher-order corrections

even in our NLO calculation. A reduction of the uncertainty in $\sigma_{\rm int}$ would necessitate a three-loop calculation of a 2 \rightarrow 2 scattering process, which is currently not tractable. However, on the time-scale over which the experimental precision could probe deviations at this level, i.e. the HL-LHC, there will surely be progress in this direction.

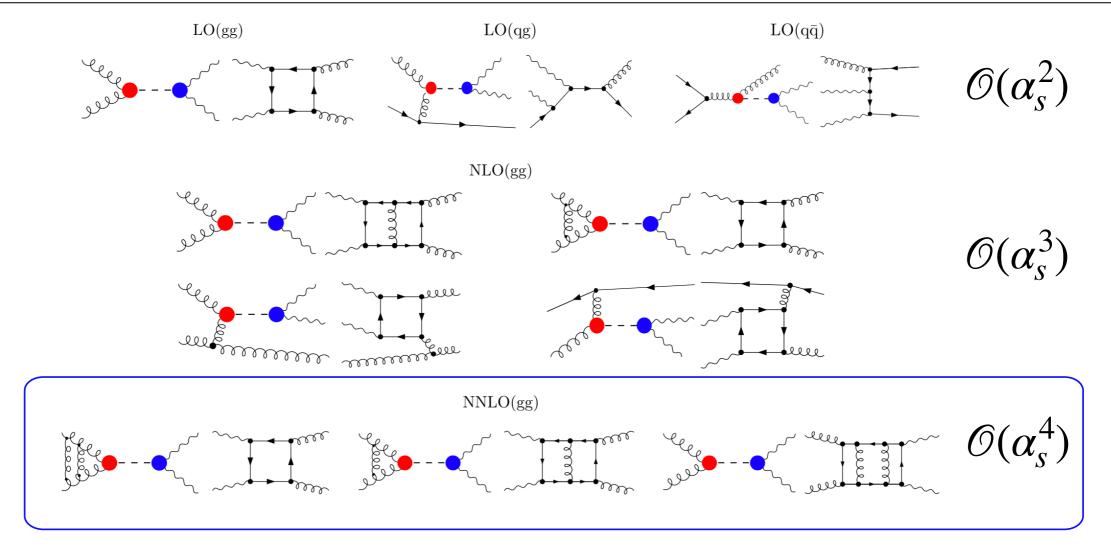
[Campbell, Caren, Harnik, Liu 1704.08259]



Call for a study at NNLO of signal-background interference effects

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Signal-background interference beyond NLO



This talk



Interference@NNLO: ingredients

- Subtraction scheme for NNLO QCD corrections to colour singlet
- 5-point two-loop amplitudes for background process [B. Agarwal, FB, A. von Manteuffel, L. Tancredi] [S. Badger et al]
- Three-loop amplitudes for background process [P. Bargiela, F. Caola, A. von Manteuffel, L. Tancredi]

Everything ready to be deployed for full NNLO analysis

However:

Technically involved and non-trivial, mostly due to evaluation of loop amplitudes in unresolved kinematic configurations

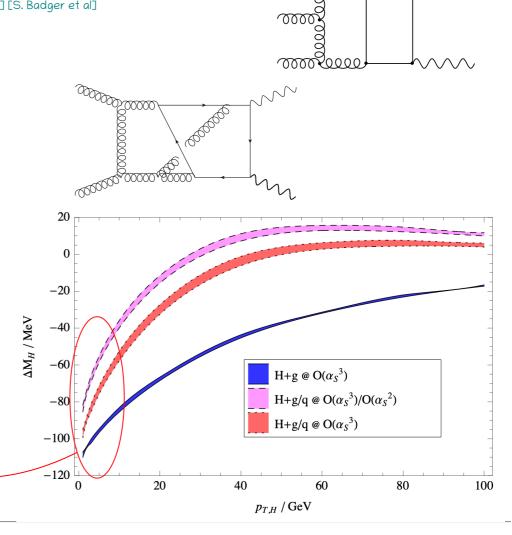
Strategy:

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capture main effects beyond NLO through appropriate approximation:

Soft-virtual approximation

Mass-shift enhanced at small value of Higgs p_T



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Soft-virtual approximation in a nutshell

Soft-virtual (SV) @NNLO: consider only soft emissions, discard hard real contributions

The SV approximation and various improvements of it extensively adopted for Higgs predictions (colour singlet in general)

Several proposals on how to account for subleading terms

Important: process largely dominated by gg-fusion

The only process-dependent part is encoded in purely virtual contributions

Differential hadronic cross-section:

$$d\sigma(\tau, y, \theta_i) = \int d\xi_1 d\xi_2 f_g(\xi_1, \mu_F) f_g(\xi_2, \mu_F) \delta(\tau - \xi_1 \xi_2 z) d\hat{\sigma} \left(z, \hat{y}, \hat{\theta}_i, \alpha_s, Q^2\right)$$

Soft limit of the partonic cross section, i.e. $z\rightarrow 1$:

$$d\hat{\sigma}\left(z,\hat{y},\hat{\theta}_i,\alpha_s,Q^2\right) \simeq d\hat{\sigma}_{Born} z G\left(z,\alpha_s,Q^2\right) \qquad G(z,\alpha_s) = \delta(1-z) + \sum_{n=1}^{\infty} \left(\frac{\alpha_s}{2\pi}\right)^n G^{(n)}(z)$$

In soft-virtual approximation:

$$G^{(n)}(z) = c_0^{(n)} \delta(1-z) + \sum_{k=1}^{2n-1} c_k^{(n)} \mathcal{D}_k(z)$$
 process-dependent part





Setup of the calculation @NNLO_{SV}

$$\sqrt{s} = 13.6 \,\mathrm{TeV}$$

PDF set: NNLO31_nnlo_as_0118

Choice of scale: $\mu_F = \mu_R = m_{\gamma\gamma}/2$

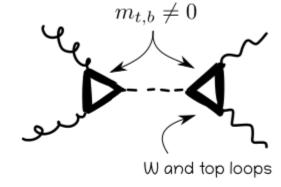
Fiducial cuts:

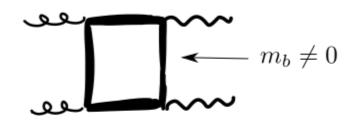
- $p_{T,\gamma_{1,2}} > 20 \,\text{GeV}$
- $|\eta_{\gamma}| < 2.5$
- $p_{T,\gamma_1}p_{T,\gamma_2} > (35 \,\text{GeV})^2$
- $\Delta R_{\gamma_{1,2}} > 0.4$

Choice of product cuts reduces sensitivity to IR physics effects [Salam, Slade 2106.08329]

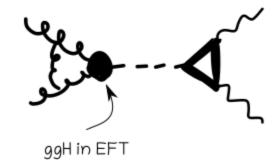
We note that it plays a relevant role in the reliability of the soft-virtual approximation.

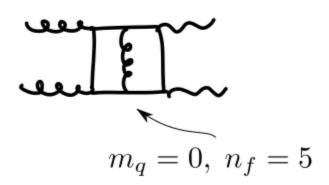






• @NLO and NNLOsv:





Results for integrated cross-section

LO results:

bottom mass in both signal and background amplitudes:

$$\sigma_{int}$$
 = -0.11 fb



$$\sigma_{int}$$
 = -0.02 fb

bottom mass in signal amplitudes only:

$$\sigma_{int}$$
 = -0.09 fb

dNLO correction:

• massless background amplitudes

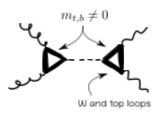
$$\sigma_{int} = -0.62 \text{ fb}$$

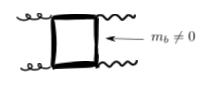
$dNNLO_{SV}$ correction:

massless background amplitudes

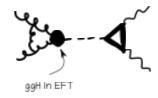
$$\sigma_{int}$$
 = -0.48 fb

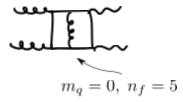
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it is safe to discard mass effects beyond LO

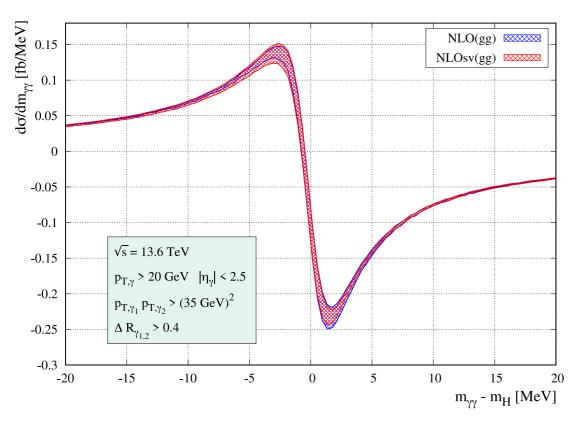


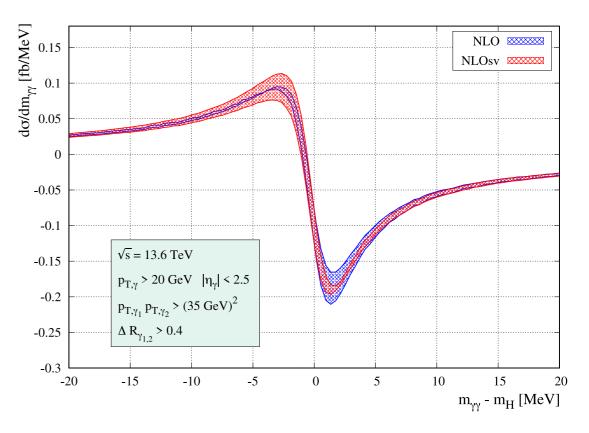






Validation of Soft-virtual approximation @NLO





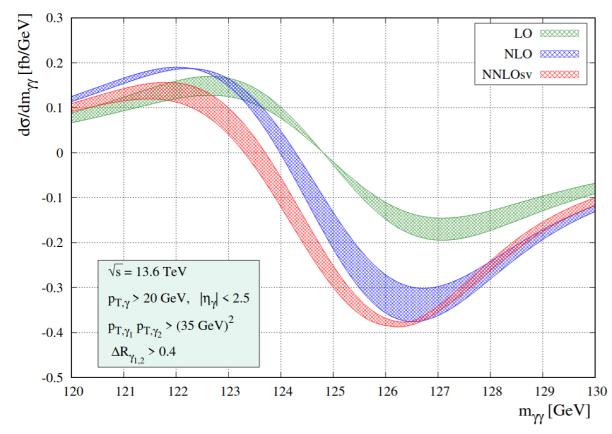
gg partonic channel only

all partonic channels

Mass shift @NLO: exact vs sv approx: 5% difference — > well below the NLO correction and within scale uncertainty

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Interference @NNLOsv



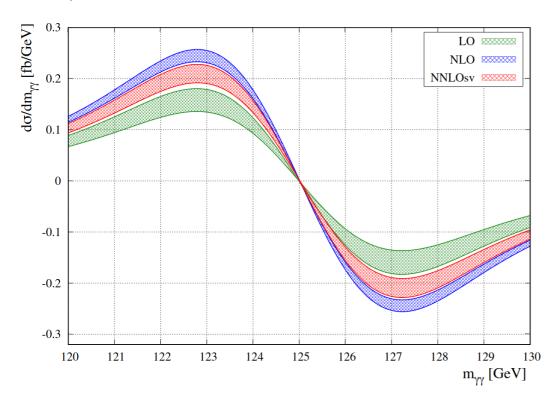
Signal-background interference contribution to the diphoton invariant mass distribution after Gaussian smearing. Bands represent the envelope given by scale variations.

- NNLOsv corrections not captured by NLO scale variations
- NLO -> NNLO, curve is shifted further down asymmetry effect weakened: mass-shift reduced
- Recall the interference is the sum of two contributions with very different behaviours: real + imaginary
 - real part responsible for the shape
 - imaginary part responsible for "shift to the left and down"

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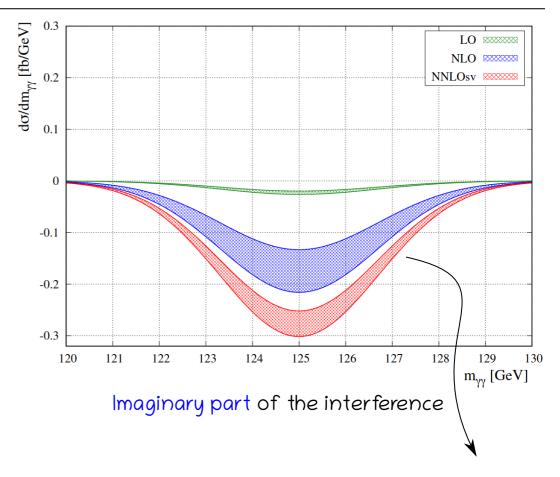
Real and imaginary parts of interference @NNLO_{SV}

Real part of the interference



Shapes and scale variations well behaved for Re and Im separately

"convergence" upon including higher-order effects



Destructive interference ~ -1.7% of signal cross-section in chosen setup

$$\sigma_S^{\rm NNLO} = 72.12^{+8\%}_{-8\%} \, {\rm fb}$$

$$\sigma_S^{\text{NNLO}} = 72.12^{+8\%}_{-8\%} \text{ fb} \qquad \sigma_I^{\text{NNLOsv}} = -1.21^{+7\%}_{-10\%} \text{ fb}$$

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Impact of NNLO_{SV} corrections on the mass-shift

$\Delta m_{\gamma\gamma} [{ m MeV}]$	7 TeV	8 TeV 13.6 TeV	
LO	$-77.2^{+0.8\%}_{-1.0\%}$	$\left \begin{array}{c c} -79.5^{+0.6\%}_{-0.8\%} & -83.1^{+0\%}_{-0.3\%} \end{array} \right $	_) -34%
NLO	$-56.2^{+13\%}_{-15\%}$	$-56.8_{-14\%}^{+13\%}$ $-55.2_{-12\%}^{+12\%}$	Ī K
NNLOsv	$-46.3^{+15\%}_{-17\%}$	$\left \begin{array}{c c} -47.0^{+14\%}_{-16\%} & -46.0^{+11\%}_{-12\%} \end{array} \right $	-28%
NNLOsv'	$-39.5^{+20\%}_{-24\%}$	$\left \begin{array}{c c} -39.7^{+19\%}_{-22\%} & -39.4^{+16\%}_{-17\%} \end{array} \right $	*

Mass-shift at different proton-proton collider energies via Gaussian fit method

$\Delta m_{\gamma\gamma} [{ m MeV}]$] 7 TeV 8 TeV 13.6 TeV		
LO	$\left \begin{array}{c c} -113.4_{-1.0\%}^{+0.8\%} & -116.7_{-0.8\%}^{+0.6\%} & -122.1_{-0.3\%}^{+0.1\%} \end{array} \right $		-34%
NLO	$\left \begin{array}{c c} -82.6^{+13\%}_{-15\%} & -82.8^{+12\%}_{-14\%} & -81.2^{+12\%}_{-12\%} \end{array} \right $		01%
NNLOsv	$ \left \begin{array}{c c} -68.1^{+15\%}_{-17\%} & -68.4^{+13\%}_{-15\%} & -67.7^{+11\%}_{-12\%} \end{array} \right $		-28%
NNLOsv'	$\left \begin{array}{c c c c c c c c c c c c c c c c c c c $	$\bar{}$	-20h

Mass-shift at different proton-proton collider energies via first-moment method

Soft-virtual "improved" approximation for Higgs XS based On [R.D. Ball, Bonvini, Forte, Marzani, Ridolfi 1303.3590]

$$\Delta m_{(N)NLO} = \Delta m_{LO} K_{(N)NLO}$$

$\Delta m_{\gamma\gamma} [{ m MeV}]$	First moment	Gaussian Fit
$K_{ m NLO}$	0.665	0.664
$K_{ m NNLOsv}$	0.554	0.554
$ K_{\rm NNLOsv'} $	0.475	0.474

• Mass-shift via Gaussian fit and first moment: "different observables"

Different predictions in two methods

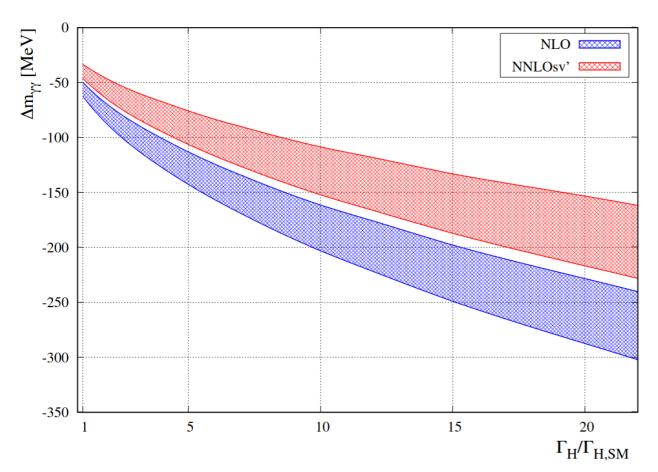
However, K-factors are insensitive to the method used





Bounds on Higgs width from mass shift

Updated bounds on Γ_H from NNLO_{SV} corrections:



- Functional dependence ~ square root
- NNLO curve lies above the NLO one, thus looser bounds on $\Gamma_{\rm H}$
- competing effects from Re and Im parts of interference
- If uncertainty on the mass shift reaches \sim 150 MeV: $\Gamma_{H} <$ (10-20) $\Gamma_{H,SM}$
- To be compared with XS based method, i.e. 9% uncertainty on XS: $\Gamma_{H} <$ (28-30) $\Gamma_{H,SM}$

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Summary and outlook

- Currents bounds on Higgs-boson width extremely close to SM value: mild assumptions on off-shell meauserements
- Alternative proposal: on-shell meauserements in diphoton production. Important complementary information
- We reviewed the diphoton signal-background interferometry framework: access to Higgs-boson width
- First studies beyond NLO accuracy thanks to advance in multi-loop calculations:
 - \blacktriangleright enhanced effect on destructive interference at XS level \longrightarrow large contribution from 3-loop $gg\gamma\gamma$ amplitude -
 - ▶ although mass shift extraction dependent on methodology, K-factors are universal
 - \blacktriangleright looser bounds on $\Gamma_{\rm H}$ via mass-shift study: assuming 150 MeV error on mass-shift, $\Gamma_{\rm H}$ < (10-20) $\Gamma_{\rm H,SM}$
 - ▶ improved bounds on $\Gamma_{\rm H}$ via integrated XS: with current 9% error on $\gamma\gamma$ XS, $\Gamma_{\rm H}$ < (28-30) $\Gamma_{\rm H.S.M.}$

First pheno application of a 3-loop QCD amplitude

Outlook:

- Exact NNLO calculation: improved modeling of $p_{T,\gamma\gamma}$ in sig/bkg interference (only described @LO as of today). Work in progress $p_{T,\gamma\gamma}$ dependence can be used to define signal and control regions to extract the mass shift
- Understand how to improve SV approximation for continuum background process

 Next-to-leading power corrections (?) for loop-induced processes

Federico Buccioni erc

Backup





Proposals to extract mass-shift in experiments

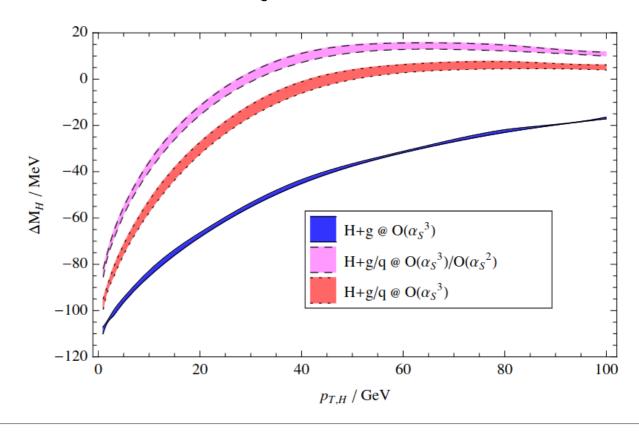
1) 22 vs γγ

One could exploit the existing measurements of the Higgs mass in the ZZ and $\gamma\gamma$ channels and get an estimate on the mass shift

This would give a first limit on the Higgs width

2) p_{Tyy} meausrements

Exploit strong $p_{T\gamma\gamma}$ dependence of mass-shift. Define a small and a large bin and take difference



Asymmetric cuts and NLO_{SV}

Cuts:

$$p_{T,\gamma}^{\mathrm{hard/soft}} > 40,30\,\mathrm{GeV}$$

 $|\eta_{\gamma}| < 2.5$

Isolation (discard events if):

$$p_{T,j} > 3 \,\mathrm{GeV}$$

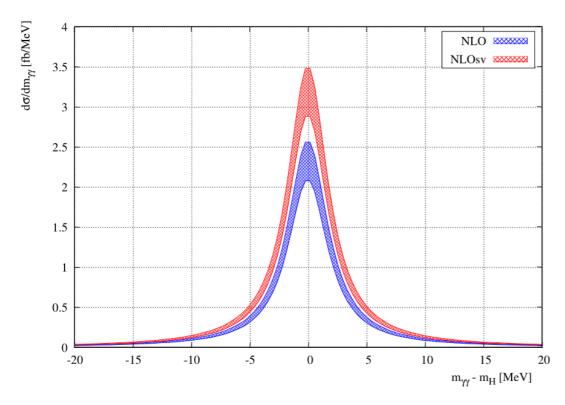
$$\Delta R_{\gamma j} < 0.4$$

Jet veto (reject if):

$$p_{T,j} > 20 \text{GeV}$$

$$|\eta_{T,j}| > 3$$

Signal process



Interference process

