

$$\langle 1^+ 2^+ 3^+ | \text{tr}(F_{SD}^3) | 0 \rangle_{tree} = [12][23][31]$$

$$\langle 1^+ 2^+ 3^+ 4^+ | \text{tr}(F_{SD}^3) | 0 \rangle_{tree} = \frac{s_{12}s_{23}s_{34} + s_{12}\langle 2|3|1\rangle\langle 1|q|2\rangle}{\langle 12\rangle\langle 23\rangle\langle 34\rangle\langle 41\rangle} + \text{cyclic}$$

$$\langle 1^- \dots i^+ \dots j^+ \dots k^+ \dots n^- | \text{tr}(F_{SD}^3) | 0 \rangle_{tree} = \frac{[ij]^2[jk]^2[ki]^2}{[12][23]\dots[n1]}$$