

Long-lived Particles Decaying to Taus

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Outline

A Brief Motivation

LLP to τ : Topologies and Models

LLP to τ : Experimental Considerations

(Brief) Example in $h \rightarrow aa \rightarrow (\tau^+ \tau^-)(\tau^+ \tau^-)$

Example in GMSB $\tilde{\tau}$ s

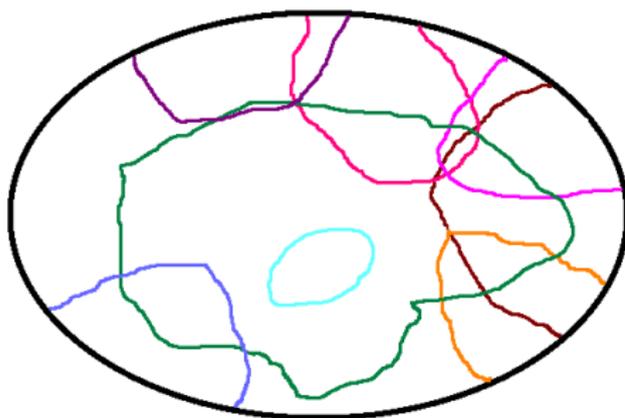
Summary

The LHC Program

The LHC has constrained many new particles in many models

- MSSM
- t'/b'
- UED
- GMSB
- RPV
- Stealth
- 2HDM
- ...

Signature Space



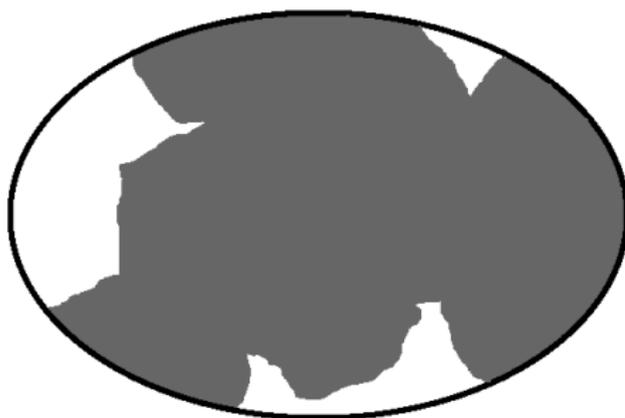
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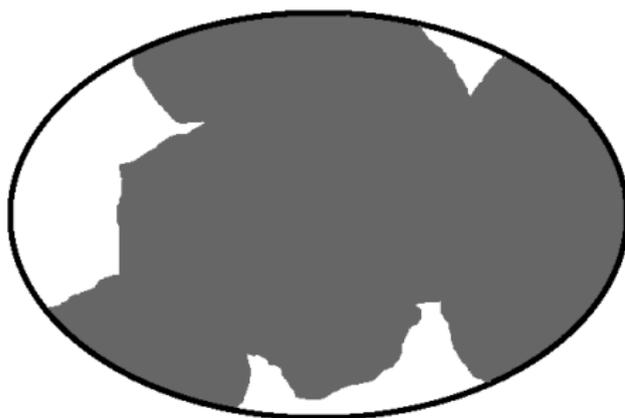
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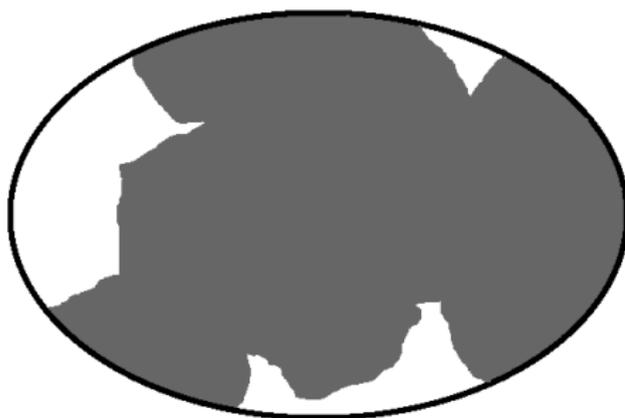
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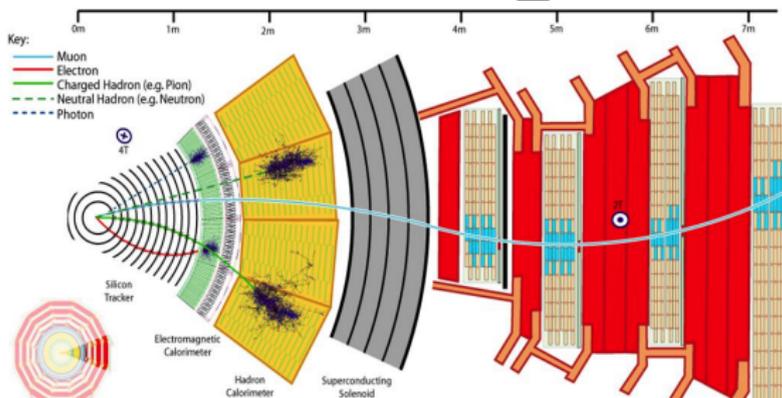
An **exotic object** could be our **ONLY** pathway to BSM physics!!!

What are Exotic Objects?

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<u>Object</u>	<u>Very Rough Identification Criteria</u>
1) Photon	Hard, isolated EM calo deposit, $E_{tracks} \ll E_{calo}$
2) Electron	Hard, isolated EM calo deposit, $E_{track} \sim E_{calo}$
3) Muon	Hard, isolated track through muon chamber
4) Jet	Other hard calo/track/particle clusters
a) Tau	Single or 3-prong hard, isolated track(s)
b) b -jet	Secondary vertex, looks b -ish
5) \vec{E}_T	$-\sum \vec{p}_T$



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Loaded words: track, isolated, hard, cluster, vertex, b -ish ...

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Two basic classes: Direct & Indirect

What are Exotic Objects?

Direct vs Indirect

Direct

Observe the object itself

Indirect

Observe atypical SM decay products

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Heavy, stable, charged particles

Magnetic monopoles

R -hadrons

Quirks

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Particles that decay in flight

Long lifetime from an approximate symmetry in the low energy theory

High dimension operators

High mass scale

Small couplings

LLP to Tau

Why?

Prompt τ s are tough

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- High background (QCD / heavy flavor)
- Irreducible \cancel{E}_T (foils mass construction)
- Lower overall energy (triggering can be harder)
- BR (soft leptons, hadrons) $\sim (1/3, 2/3)$

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Displaced τ s can find motivation in several models – some challenges remain, but the QCD backgrounds are greatly reduced

May be a promising place to find new physics!

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- $X^0 \rightarrow \tau^\pm \ell^\mp \nu$ (~~W^\pm~~)
- $X^{\pm\pm} \rightarrow \tau^\pm W^\pm$
- $X^\pm \rightarrow \tau^\pm \gamma$
- $X \dots \rightarrow \tau^\pm ab \dots$

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Let's discuss in roughly reverse order (craziest to most motivated)...
(Next few slides are fast and theory heavy, will get easier)

$$X^{\dots} \rightarrow \tau^{\pm} ab\dots$$

Barring examples later, $X^{\dots} \rightarrow \tau^{\pm} + 2$ or more SM particles is typically:

- poorly motivated (e.g., no good models)
- requires high dimension operators
- a UV completion would likely generate other (better) operators
- some make flavor problems
- usually not qualitatively different than other signals

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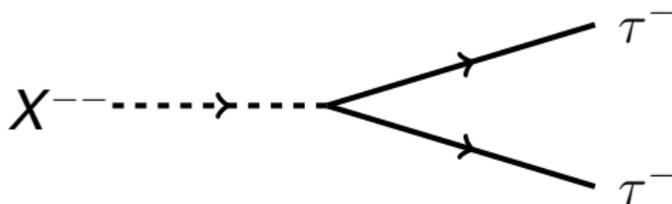
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What UV completion makes this happen?

Loops of charged and neutral color octets that talk to only X and τ_R^c ?
 \Rightarrow induces a mass term between X and $\tau_R^c \Rightarrow$ simpler decay to $\tau^\pm Z/h$
AND phenomenologically equivalent to $X \rightarrow \tau q \bar{q}$

$$X^{\pm\pm} \rightarrow \tau^{\pm}\tau^{\pm} (\tau^{\pm}\ell^{\pm}) [\tau^{\pm}W^{\pm}]$$

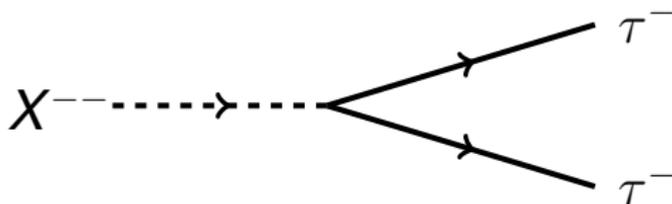
Can easily add an operator $\mathcal{L} \ni y_{ij} X^{--} \ell_i^c \ell_j^c + \text{h.c.}$ with y_{ij} symmetric
 for singlet X^{--} with vector-like mass $m_X^2 X^{++} X^{--}$, tiny $y_{ij} \Rightarrow$ long-life



Charge 2 object a bit strange, but operator is dim-4, could be easily embedded in SUSY, other UV structures are reasonable

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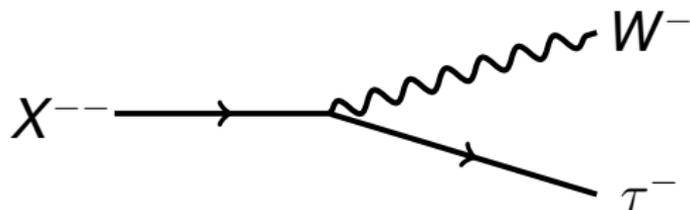


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$X^{\pm\pm} \rightarrow \tau^{\pm}W^{\pm}$ is much stranger...

$$X^{\pm\pm} \rightarrow \tau^{\pm} W^{\pm}$$

Need fermion $X^{\pm\pm}$ that talks to W , e.g., from vector-like $SU(2)_L$ doublet with $3/2$ hypercharge



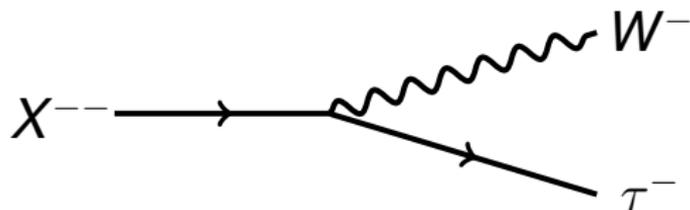
$$M \sim \begin{pmatrix} m_{\tau} & \kappa V \\ \kappa V & M_X \end{pmatrix}$$

Adding a term $\mathcal{L} \ni \kappa X H \tau_R^c \Rightarrow \lambda v X^- \tau^+$ with small λ in addition to vector-like $\bar{X}X$ mass term generates small-mixing between X^+ and τ

Now have $X^{--} \rightarrow X^{-*} W^- \rightarrow \tau^- W^-$ decay

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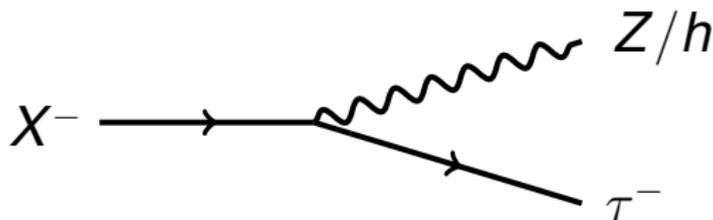
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Also, have $X^{--} \rightarrow X^- W^{-*}$ decay \Rightarrow difficult to make very long-lived

Also, pretty ad hoc

$$X^\pm \rightarrow \tau^\pm Z/h$$

Same basic idea can produce $X^\pm \rightarrow \tau^\pm Z/h$

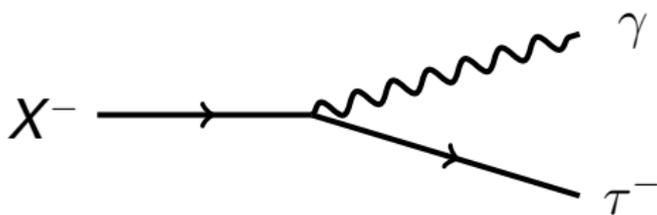


Same basic mechanism as 4th-generation top partners

$T \rightarrow bW$, $T \rightarrow tZ$, $T \rightarrow th$ are all good decay paths

4th-gen τ partner X^\pm has $X \rightarrow \nu W$, $X \rightarrow \tau Z$, $X \rightarrow \tau h$ as decay paths

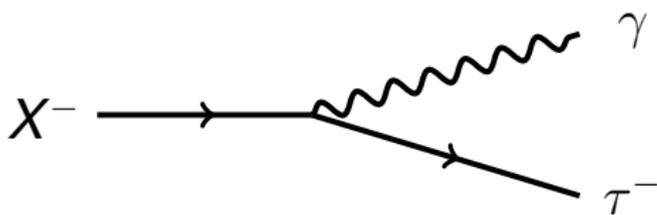
$$X^\pm \rightarrow \tau^\pm \gamma$$



However, $X^\pm \rightarrow \tau^\pm \gamma$ is not so easy as E&M is a good symmetry
Need (for instance) to induce a loop-level magnetic dipole operator

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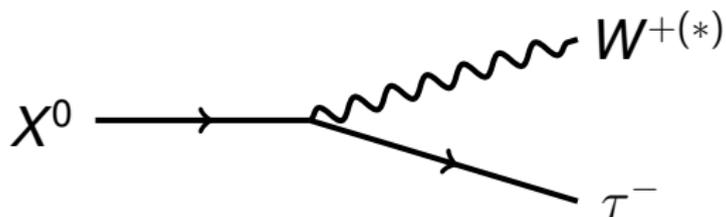
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Hard to do with out also generating less suppressed $X \rightarrow \tau Z$ decay

Also, dangerous for well-measured LFV processes ($\mu \rightarrow e \gamma$)

$$X^0 \rightarrow \tau^\pm W^\mp$$

Arguably, the most highly motivated LLP to τ is $X^0 \rightarrow \tau^\pm W^\mp$



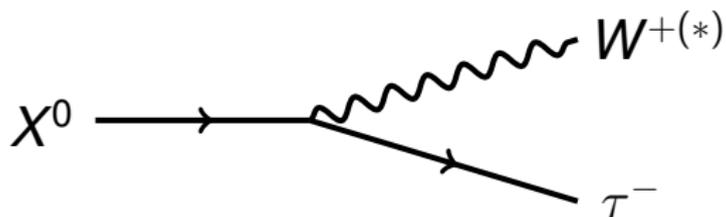
$X^0 \rightarrow \tau^\pm W^\mp$ is very well-motivated from sterile ν !

Inverse seesaw $\Rightarrow m_X$ and mixing angle U_τ are free parameters

Small U_τ and/or $m_X < m_W$ provide long lifetime

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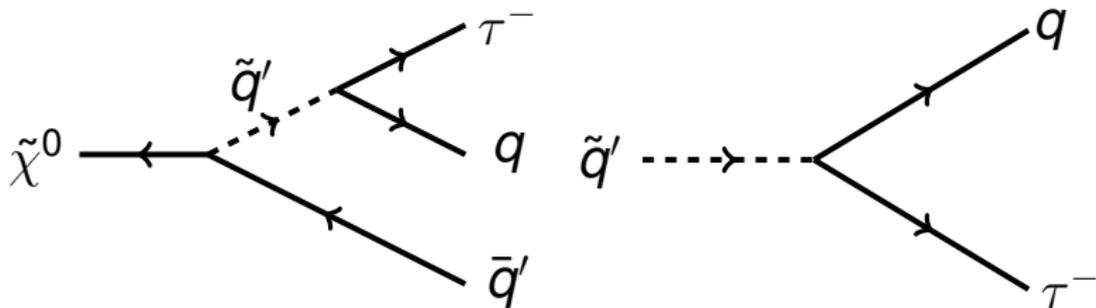
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Could also emerge from slightly more complicated structures with more accessible LHC production (e.g. 4th-gen L)

Production of X^0 through W/Z

$$\tilde{\chi}^0 \rightarrow \tau^- q \bar{q}' \text{ \& \ } \tilde{q}' \rightarrow \tau q$$

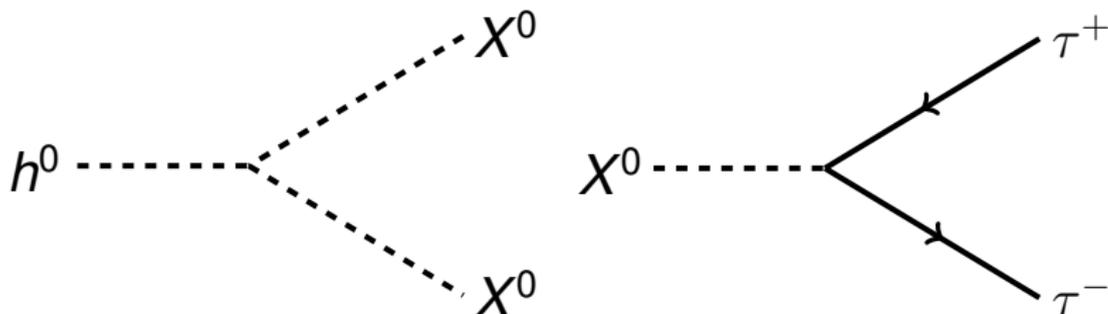


$\tilde{\chi}^0 \rightarrow \tau^- q \bar{q}'$ & $\tilde{q}' \rightarrow \tau q$ motivated from R -parity violating SUSY and leptoquark extensions to the SM

RPV (LQD) couplings $\lambda'_{ijk} \ll 1$ due to flavor, hierarchical expected

$$X^0 \rightarrow \tau^+ \tau^-$$

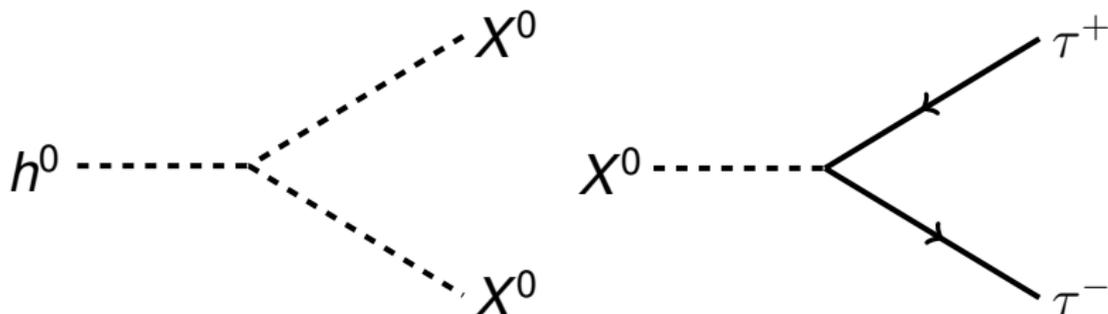
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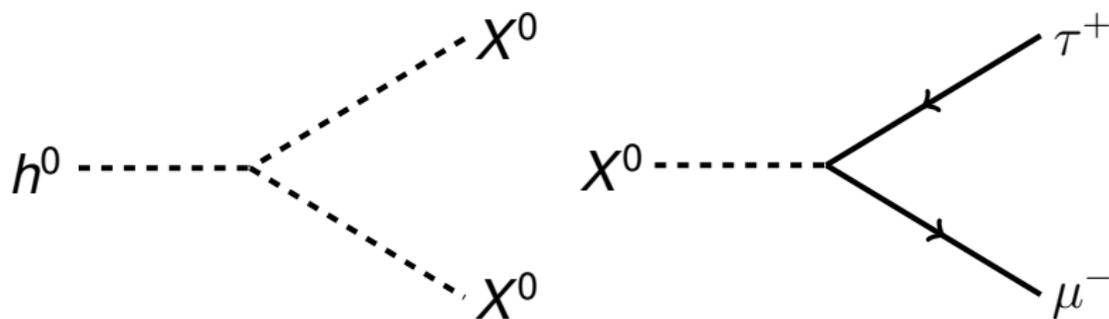
$$\text{BR}(h \rightarrow X^0 X^0) \lesssim 0.1 \text{ within current constraints}$$

Higgs mixing in the $m_X \in \{3.5, 10.5\}$ GeV range has large $\tau\tau$ BR

Leptophilic scalars can extend above this range easily

$$X^0 \rightarrow \tau^\pm \ell^\mp$$

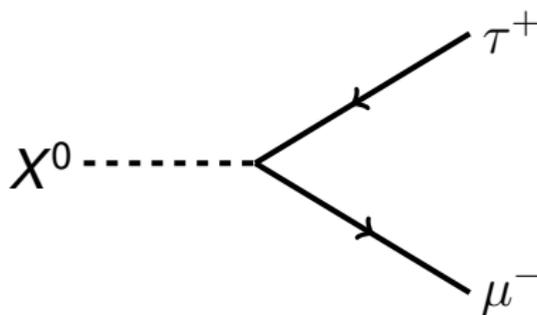
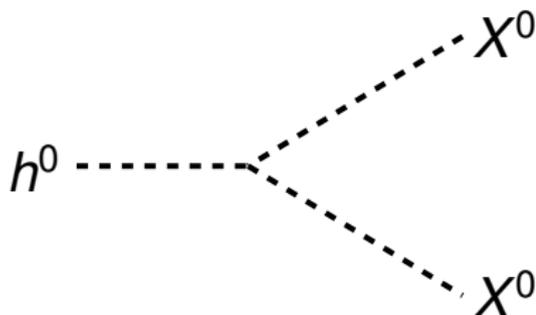
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Introduce operator $\frac{a_{ij}}{\Lambda} X L_i H E_j^c$

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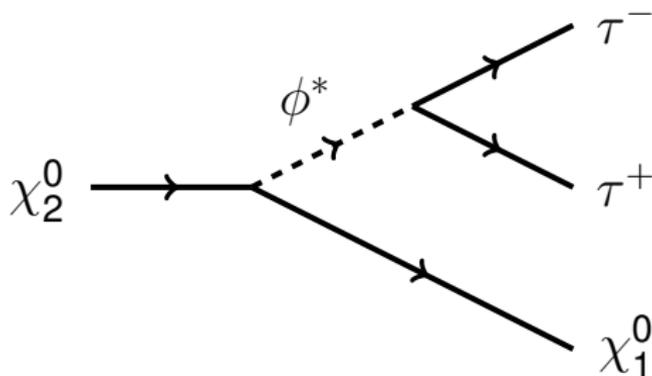
a_{ij} flavor structure can be altered by UV content JAE, Tanedo, Zakeri – 1910.07533

UV models aren't elegant, but it is straight forward to attain a ~ 1 BR to flavor violating path

$$X^0 \rightarrow \tau^+ \tau^- + \cancel{E}_T (X^0 \rightarrow \tau^+ l^- + \cancel{E}_T)$$

Without a W , $X^0 \rightarrow \tau^+ l^- + \cancel{E}_T$ is pretty contrived...

$X^0 \rightarrow \tau^+ \tau^- + \cancel{E}_T$ has some dark matter motivations...



Inelastic DM could allow for displaced decay to $\tau\tau + \cancel{E}_T$

Typically involves small $\chi_2^0 - \chi_1^0$ splitting and thus soft τ s

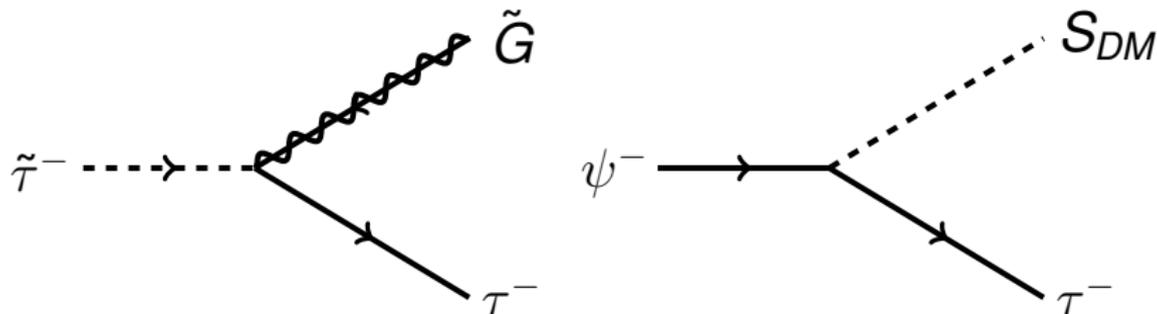
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JAE, Shelton – 1601.01326; Khoze et al – 1702.00750; Bélanger et al – 1811.05478

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Classic signal of gauge mediated SUSY breaking (GMSB) is LLP $\tilde{\tau}$

Dark matter motivations, RPV SUSY with LLE operators (not shown)



In GMSB, $m_{\tilde{G}}$ is tiny, but DM models could have it heavy

Lastly, $\chi^- \rightarrow \tau^- \nu \chi_0$ is possible, but a bit contrived

That model building blitz in brief

To summarize, there are a lot of ways to get an LLP decaying to τ

$$X^0 \rightarrow W^\pm \tau^\mp \text{ and } X^0 \rightarrow \tau^+ \tau^- \text{ and } X^\pm \rightarrow \tau^\pm + \cancel{E}_T$$

are the most motivated and pretty good benchmark examples

Questions before moving to experimental considerations?

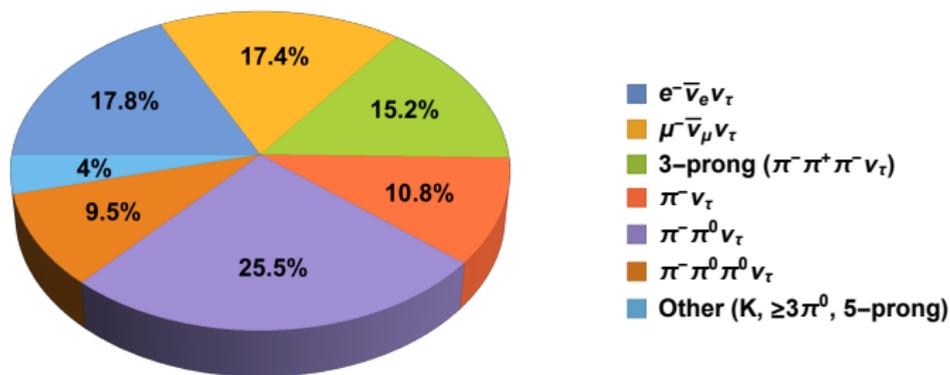
Tau

The Recalcitrant Charged Lepton

Tau facts:

- $M_\tau = 1776.82 \text{ MeV}$
- $c\tau_\tau = 87.11 \mu\text{m} \Rightarrow 100 \text{ GeV } \tau \text{ has } \gamma c\tau_\tau = 5\text{mm}$

τ branching ratios:



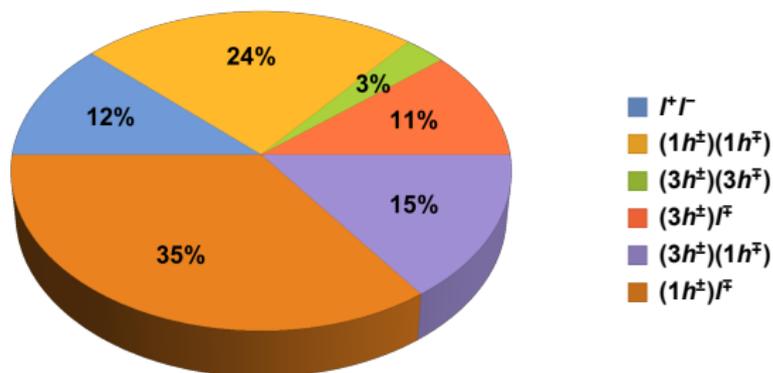
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$\tau\tau$ branching ratios:



$$h \rightarrow aa \rightarrow (\tau^+\tau^-)(\tau^+\tau^-)$$

Some naïve theorist math...

- $m_h = 125 \text{ GeV}$
- $\Rightarrow E_a \sim 60 \text{ GeV}$
- $\Rightarrow E_\tau \sim 30 \text{ GeV}$
- $\Rightarrow E_{\tau_h} \sim 20 \text{ GeV}$
- $\Rightarrow E_{\tau_\ell} \sim 10 \text{ GeV}$

$$h \rightarrow aa \rightarrow (\tau^+ \tau^-)(\tau^+ \tau^-)$$

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Signal $\sim 2\tau_h$ & 2 soft ℓ

Triggering

How possible is it to pick up these events?

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Triggering

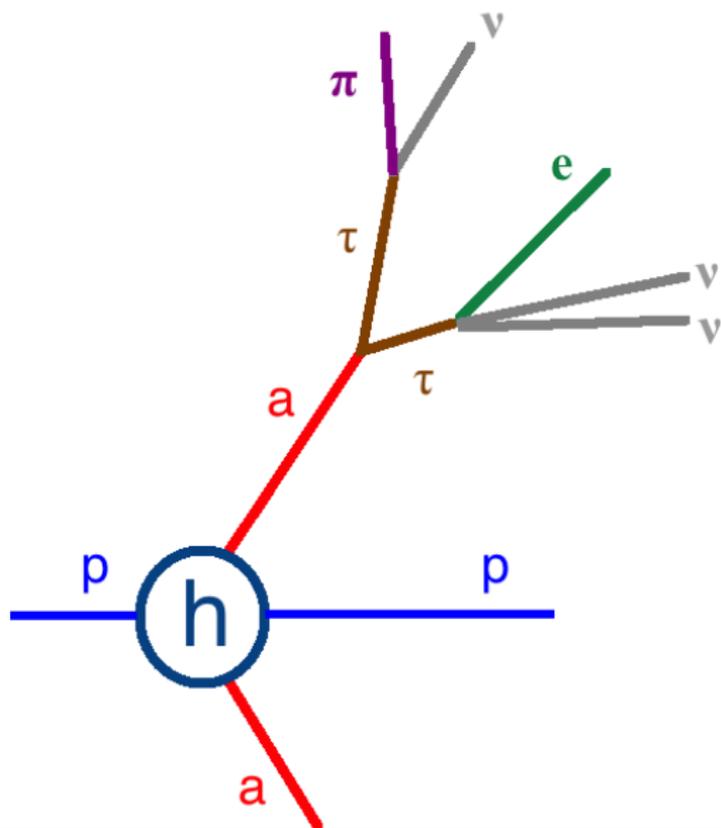
How possible is it to pick up these events?

Is $2 \text{ } 10 \text{ GeV } \ell + 2 \tau_h$ possible?

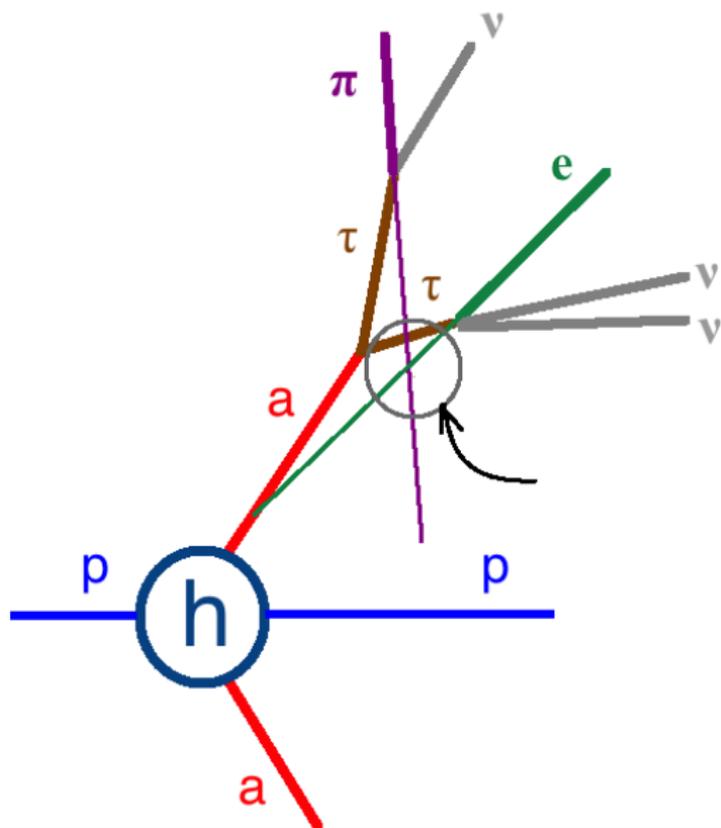
Can it work with VBF triggers?

Or need Z/W triggers?

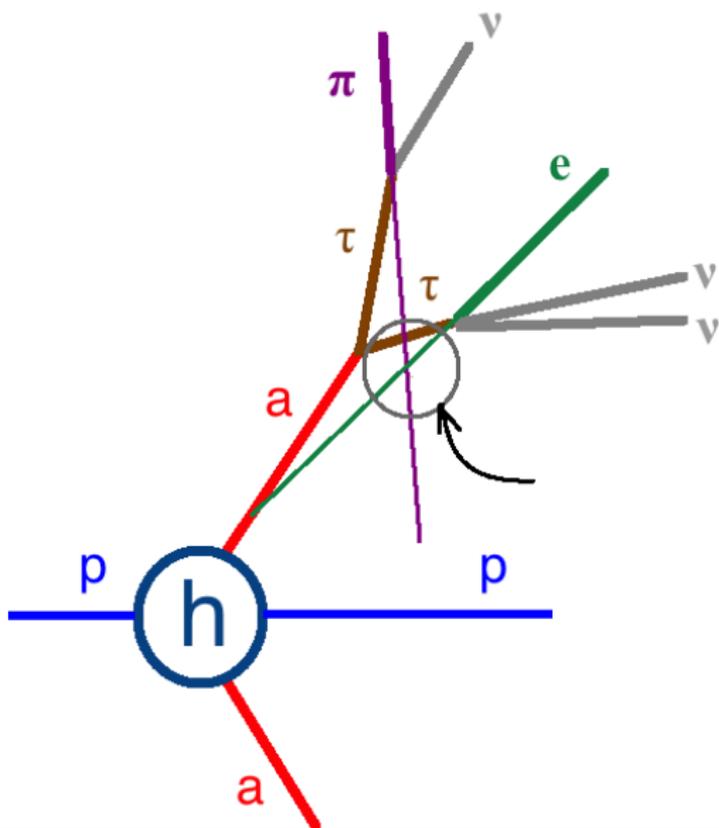
$$h \rightarrow aa \rightarrow (\tau^+\tau^-)(\tau^+\tau^-)$$



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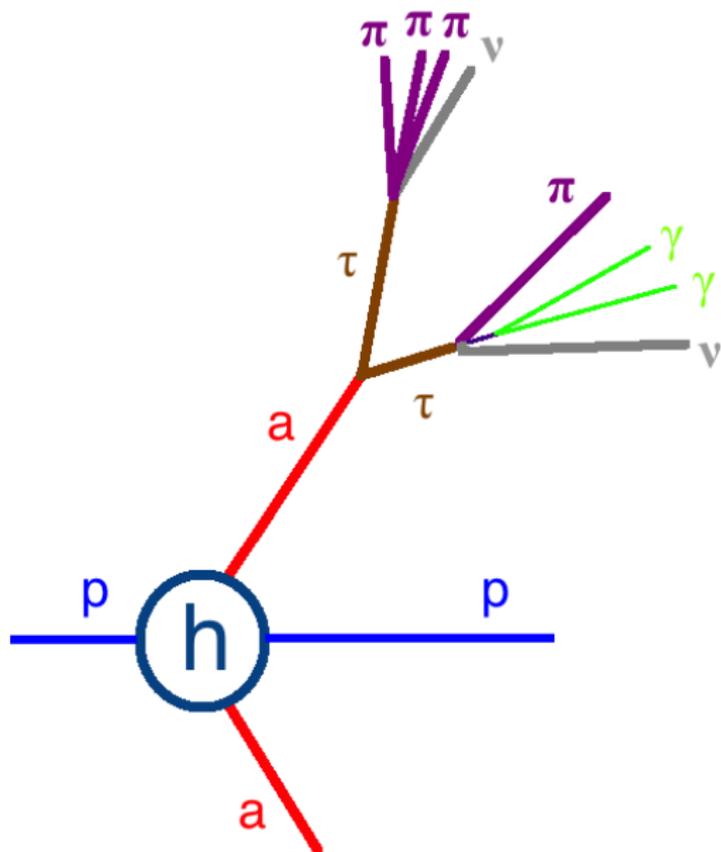
Vertexing resolution at the LHC is very good

τ s have $\gamma c\tau \sim 2$ mm

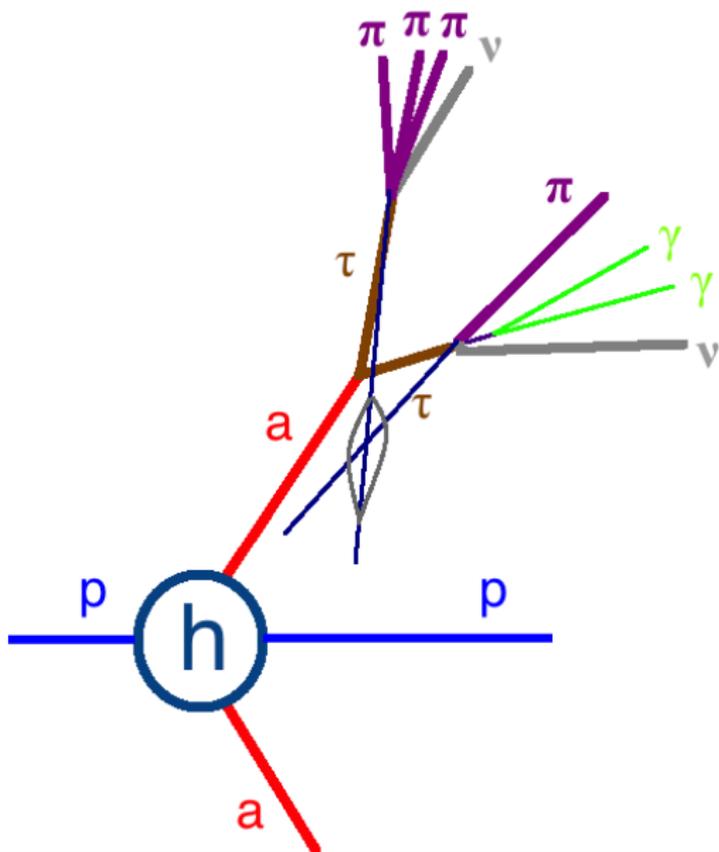
How reliably can the vertexing identify these very low multiplicity objects?

How reliably can the vertexing reject coincident crossings?

$$h \rightarrow aa \rightarrow (\tau^+\tau^-)(\tau^+\tau^-)$$



$$h \rightarrow aa \rightarrow (\tau^+\tau^-)(\tau^+\tau^-)$$

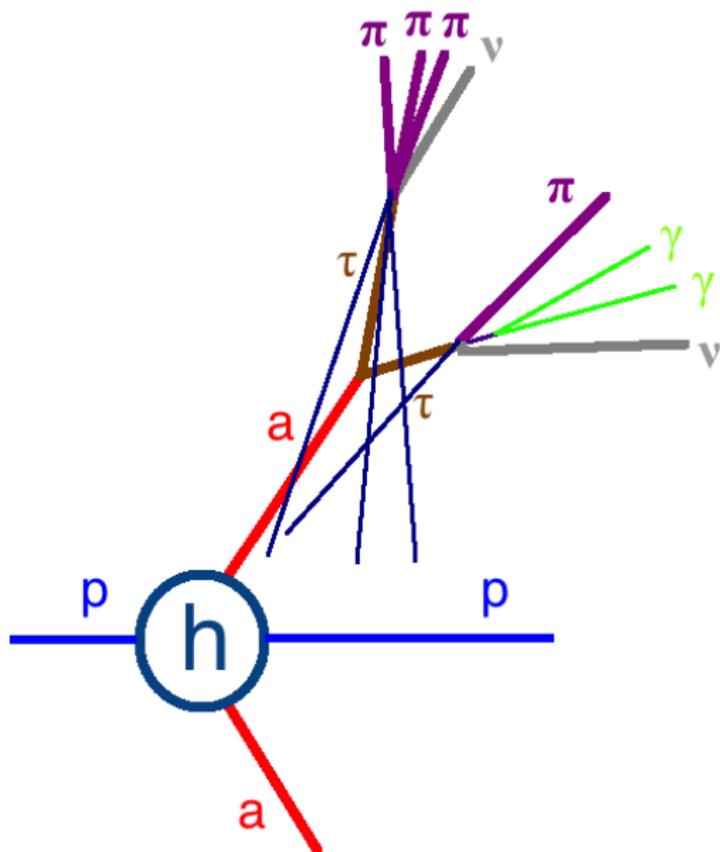


Can π^0 s be used in vertexing at all?

Due to collimation are $3\pi^\pm$ much more useful than $1\pi^\pm$?

Do $3\pi^\pm$ make vertexing worse?

$$h \rightarrow aa \rightarrow (\tau^+\tau^-)(\tau^+\tau^-)$$



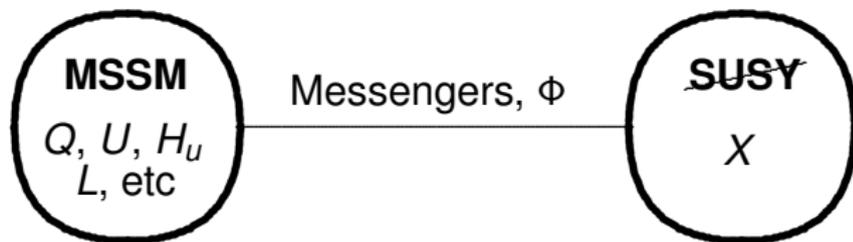
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Gauge Mediation and $\tilde{\tau}_R$ NLSPs

Lightning Review of Minimal GMSB

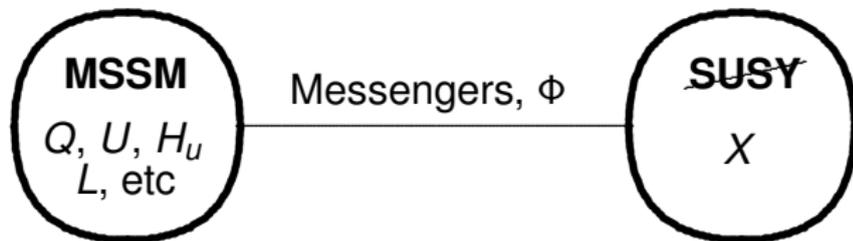


$$W \sim X\phi\tilde{\phi} + \{\text{MSSM yukawas}\}$$

$$\langle X \rangle = M + \theta^2 F, \quad \Lambda \equiv F/M, \quad \tilde{\Lambda} \equiv \frac{\Lambda}{16\pi^2}$$

Gauge Mediation and $\tilde{\tau}_R$ NLSPs

Lightning Review of Minimal GMSB



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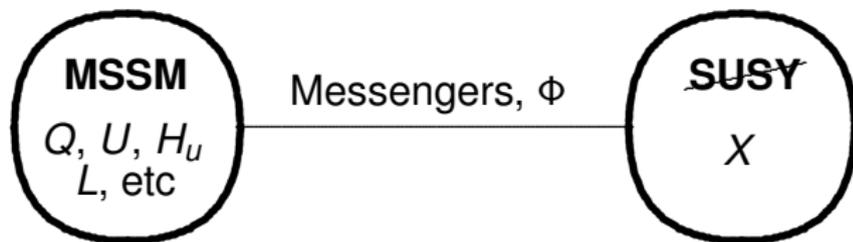
$$M_r \sim N_{\text{eff}} g_r^2 \tilde{\Lambda}$$

$$A\text{-terms} = 0$$

$$m_{\text{soft}}^2 \sim 2N_{\text{eff}} C_r g_r^4 \tilde{\Lambda}^2 \quad (C_r \text{ quadratic Casimirs } \mathcal{O}(1))$$

Gauge Mediation and $\tilde{\tau}_R$ NLSPs

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Potential NLSP Masses: $\begin{cases} m_{\tilde{B}} = N_{\text{eff}} g_1^2 \tilde{\Lambda} \\ m_{\tilde{\ell}_R} = \sqrt{\frac{6N_{\text{eff}}}{5}} g_1^2 \tilde{\Lambda} \end{cases} \quad N_{\text{eff}} \geq 2 \Rightarrow \tilde{\tau}_R \text{ NLSP}$
(or large running)

Gauge Mediation and $\tilde{\tau}_R$ NLSPs

Lifetimes

GMSB is a very **well-motivated** source of displaced particles

$$c\tau \approx 100 \mu\text{m} \left(\frac{100 \text{ GeV}}{m_{\tilde{\tau}}} \right)^5 \left(\frac{\sqrt{F}}{100 \text{ TeV}} \right)^4$$

What is \sqrt{F} ?

Gauge Mediation and $\tilde{\tau}_R$ NLSPs

Lifetimes

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What is \sqrt{F} ?

$F < M^2$; otherwise arbitrary

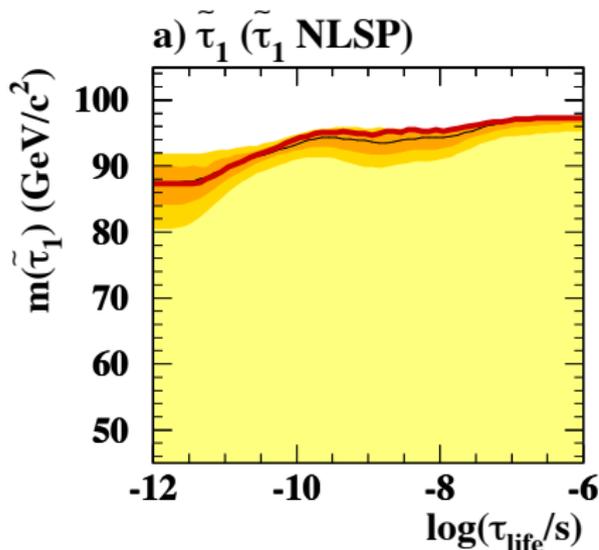
$$c_{\mathcal{T}} \sim 10 \mu\text{m} \left(\frac{100 \text{ GeV}}{m_{\tilde{\tau}}} \right) \left(\frac{M}{\sqrt{F}} \right)^4 \frac{1}{N_{\text{eff}}^2} \quad (\text{minimal GM only})$$

LHC relevant range: $100 \mu\text{m} \lesssim c_{\mathcal{T}} \lesssim 1 \text{ m}$

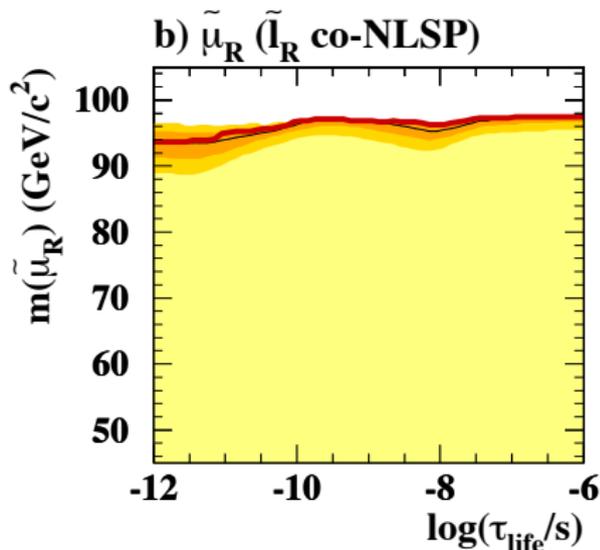
Measuring $m_{\tilde{\tau}_R}$ & $c_{\mathcal{T}\tilde{\tau}_R}$ probes **SUSY breaking!**

Gauge Mediation and $\tilde{\tau}_R$ NLSPs

LEP Limits on Slepton NLSPs



$$m_{\tilde{\tau}} > 87 \text{ GeV}$$



$$m_{\tilde{\mu}} > 94 \text{ GeV}$$

OPAL placed the best limits on sleptons of all lifetimes

Relevant LHC search: CMS Displaced $e\mu$ (1409.4789)

Cuts

Cut Summary of CMS $e\mu$

Preselection

1 OS $e^\pm \mu^\mp$ pair

→ $d_\ell > 100 \mu\text{m}$

$p_{T,\ell} > 25 \text{ GeV}$, $|\eta_\ell| < 2.5$

Reject $1.44 < |\eta_e| < 1.56$

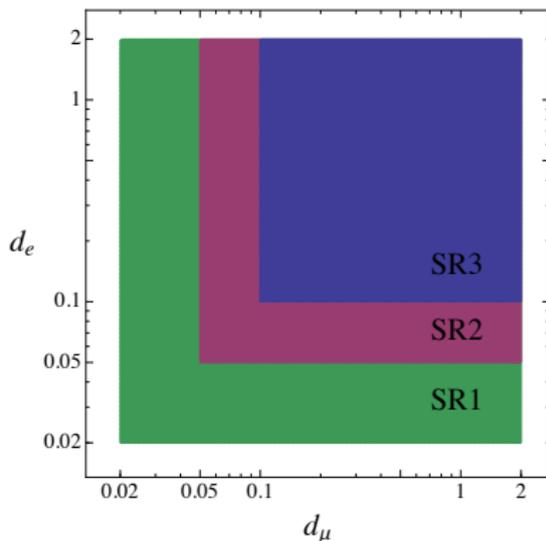
$I_{\Delta R < 0.3}^{calo,e} < 0.10$, $I_{\Delta R < 0.4}^{calo,\mu} < 0.12$

$\Delta R_{\ell j} > 0.5 \forall \text{jets with } p_T > 10 \text{ GeV}$

$\Delta R_{e\mu} > 0.5$

$v_{T,\tilde{\ell}} < 4 \text{ cm}$, $v_{Z,\tilde{\ell}} < 30 \text{ cm}$

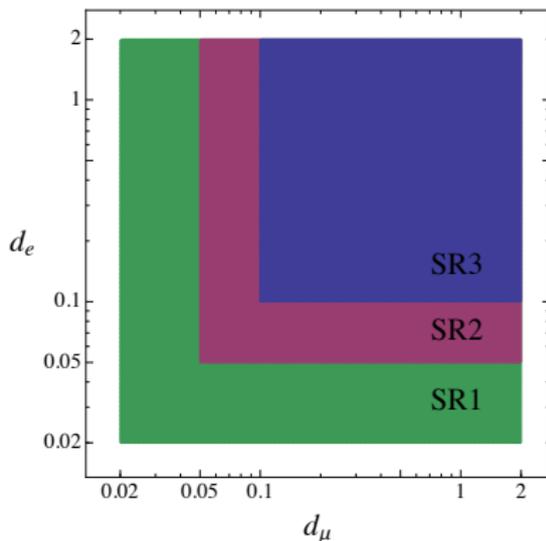
Veto additional leptons



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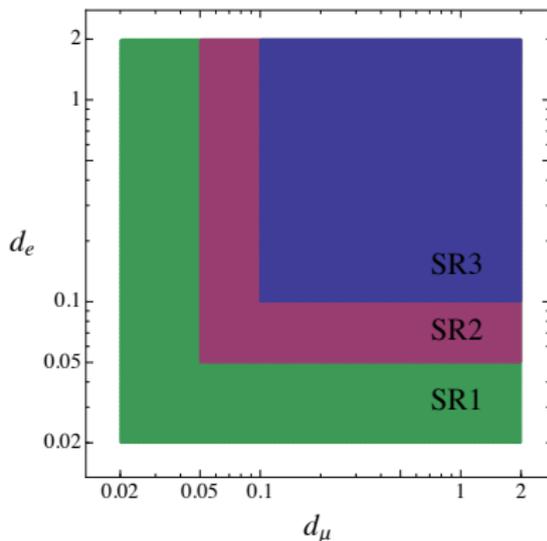
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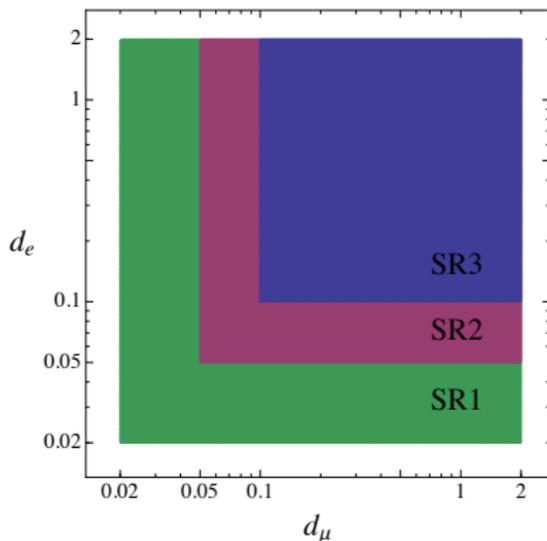
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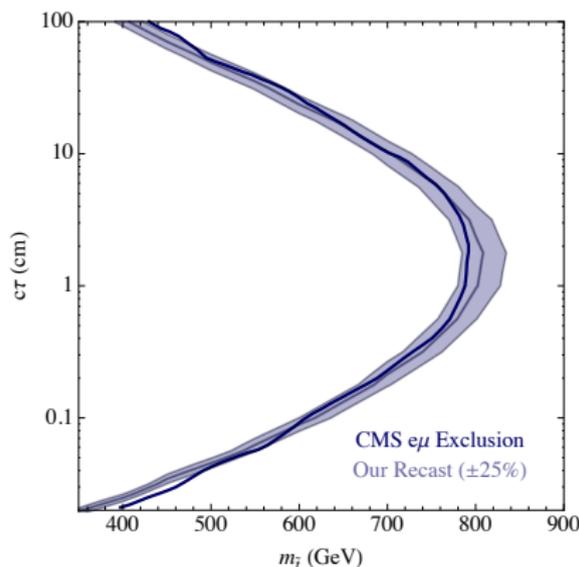
→ Veto additional leptons



Relevant LHC search: CMS Displaced $e\mu$ (1409.4789)

Recast

Cut Summary of CMS $e\mu$
Preselection
1 OS $e^\pm\mu^\mp$ pair
$d_\ell > 100 \mu\text{m}$
$p_{T,\ell} > 25 \text{ GeV}$, $ \eta_\ell < 2.5$
Reject $1.44 < \eta_e < 1.56$
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Veto additional leptons

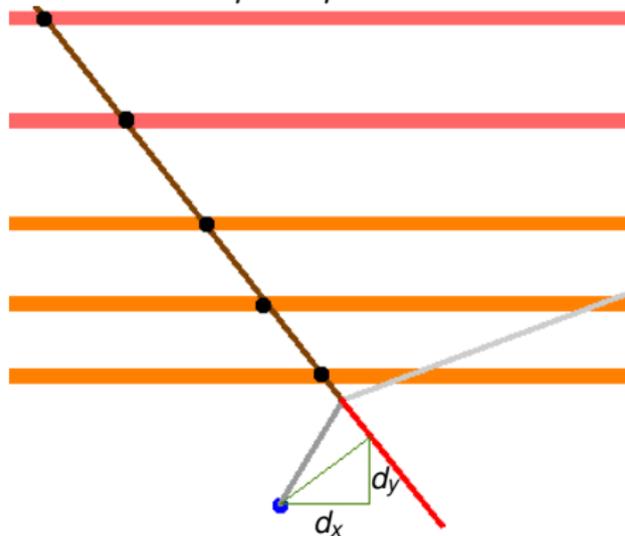


Extensive recasting details! (Signal model: $\text{BR}(\tilde{t} \rightarrow j\ell_i) = \{\frac{1}{3}, \frac{1}{3}, \frac{1}{3}\}$)

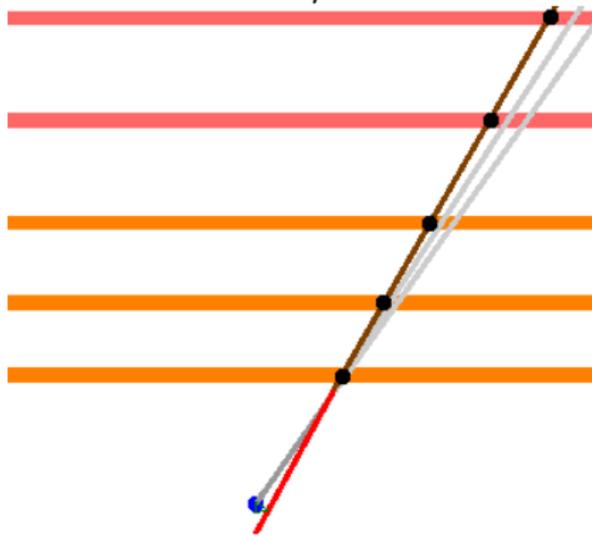
Relevant LHC search: CMS Displaced $e\mu$ (1409.4789)

Impact Parameter

$$\tilde{\mu} \rightarrow \mu \tilde{G}$$



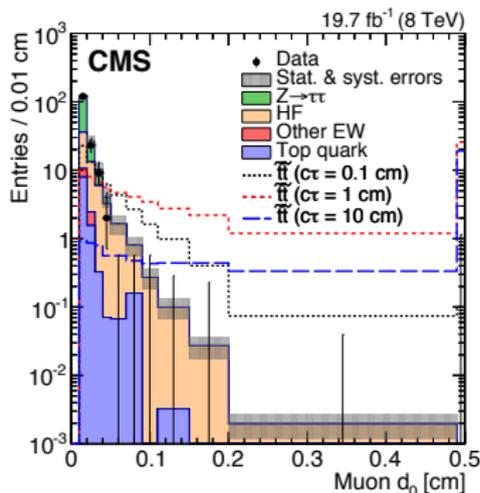
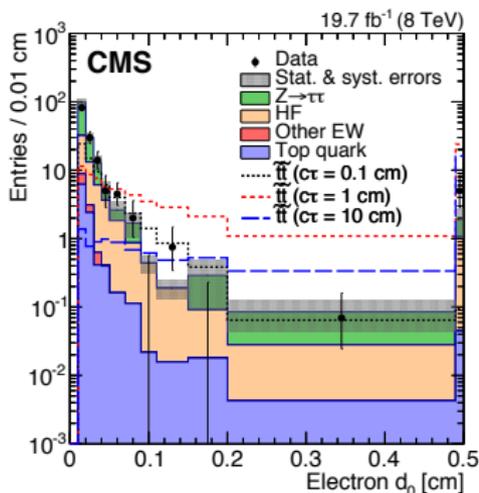
$$\tau \rightarrow \mu \nu \bar{\nu}$$



Impact Parameter is *not* the location of parent
 b and τ decay products are more collimated

Relevant LHC search: CMS Displaced $e\mu$ (1409.4789)

Backgrounds & Data



Event source	SR1	SR2	SR3
Other EW	$0.65 \pm 0.13 \pm 0.09$	$(0.89 \pm 0.53 \pm 0.12) \times 10^{-2}$	$< (89 \pm 53 \pm 12) \times 10^{-4}$
Top quark	$0.77 \pm 0.04 \pm 0.08$	$(1.25 \pm 0.26 \pm 0.12) \times 10^{-2}$	$(2.4 \pm 1.3 \pm 0.2) \times 10^{-4}$
$Z \rightarrow \tau\tau$	$3.93 \pm 0.42 \pm 0.39$	$(0.73 \pm 0.73 \pm 0.07) \times 10^{-2}$	$< (73 \pm 73 \pm 7) \times 10^{-4}$
HF	$12.7 \pm 0.2 \pm 3.8$	$(98 \pm 6 \pm 30) \times 10^{-2}$	$(340 \pm 110 \pm 100) \times 10^{-4}$
Total expected background	$18.0 \pm 0.5 \pm 3.8$	$1.01 \pm 0.06 \pm 0.30$	$0.051 \pm 0.015 \pm 0.010$
Observed	19	0	0

Recast Limits on $\tilde{\tau}_R$

(Note: updated searches exist)

Only HSCP limits on direct $\tilde{\tau}_R$ production!

Recast Limits on $\tilde{\tau}_R$

(Note: updated searches exist)

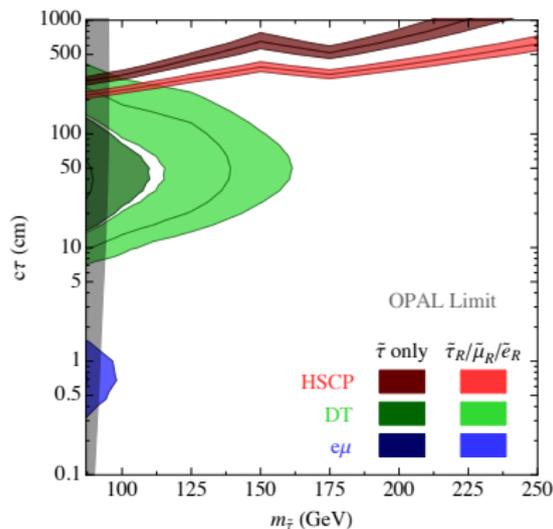
Only HSCP limits on direct $\tilde{\tau}_R$ production!

But . . . a $\tilde{\tau}_R$ is not expected in isolation

Near degenerate slepton limits

$$m_{\tilde{e}_R} = m_{\tilde{\mu}_R} = m_{\tilde{\tau}_R} + 10 \text{ GeV}$$

$$\tilde{\ell}_R \rightarrow \tilde{\tau}_R + \{\text{soft}\}$$



Recast Limits on $\tilde{\tau}_R$

(Note: updated searches exist)

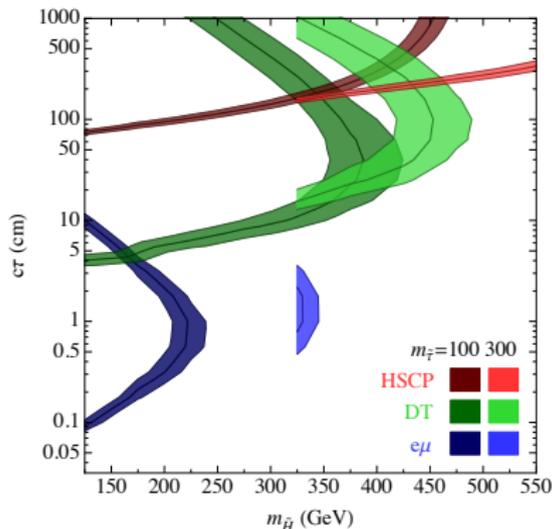
Only HSCP limits on direct $\tilde{\tau}_R$ production!

But . . . a $\tilde{\tau}_R$ is not expected in isolation

Higgsino production limits

$$m_{\tilde{\chi}_1^0} = m_{\tilde{\chi}_2^0} = m_{\tilde{\chi}_1^+}$$

$$\tilde{\chi}_{1,2}^0 \rightarrow \tilde{\tau}_R^\pm \tau^\mp, \quad \tilde{\chi}_1^\pm \rightarrow \tilde{\tau}_R^\pm \nu$$



Limits are very sensitive to $m_{\tilde{\tau}_R}$

Recast Limits on $\tilde{\tau}_R$

(Note: updated searches exist)

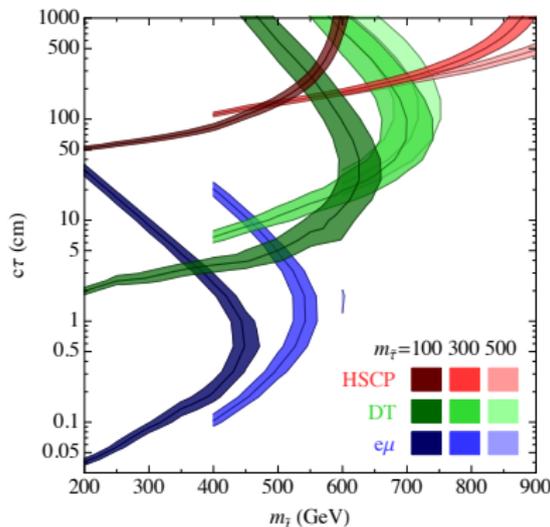
Only HSCP limits on direct $\tilde{\tau}_R$ production!

But . . . a $\tilde{\tau}_R$ is not expected in isolation

Stop production limits

$$m_{\tilde{H}} = m_{\tilde{t}} - 50 \text{ GeV}$$

$$\tilde{t} \rightarrow b\tilde{H}^+ \rightarrow b\nu\tilde{\tau}_R^+$$



Limits are very sensitive to $m_{\tilde{\tau}_R}$

Recast Limits on $\tilde{\tau}_R$

(Note: updated searches exist)

Only HSCP limits on direct $\tilde{\tau}_R$ production!

But . . . a $\tilde{\tau}_R$ is not expected in isolation

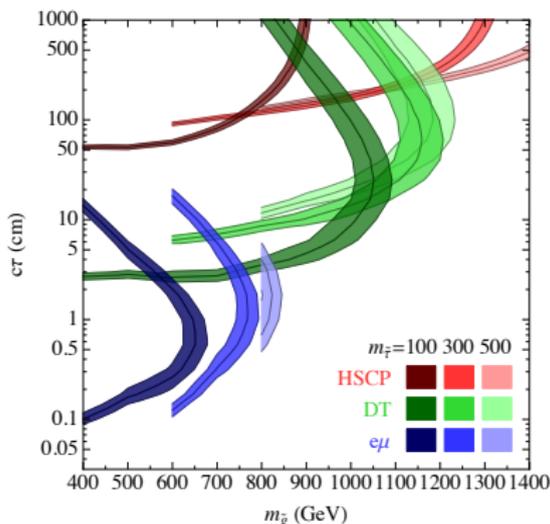
Glucino production limits

$$m_{\tilde{t}} = m_{\tilde{g}} - 200 \text{ GeV}$$

$$m_{\tilde{H}} = m_{\tilde{t}} - 50 \text{ GeV}$$

$$\tilde{g} \rightarrow \tilde{t}\bar{t} \rightarrow \bar{t}b\tilde{H}^+ \rightarrow \bar{t}b\nu\tilde{\tau}_R^+$$

$$\tilde{g} \rightarrow \tilde{t}^*t \rightarrow t\bar{b}\tilde{H}^- \rightarrow t\bar{b}\bar{\nu}\tilde{\tau}_R^-$$



Limits are very sensitive to $m_{\tilde{\tau}_R}$

Potential Improvements?

CMS Displaced Lepton Search

There are several lessons from GMSB $\tilde{\tau}_R$ s to improve sensitivity

$$BR(\tilde{\tau}^+ \tilde{\tau}^- \rightarrow e^\pm \mu^\mp + X) = 6\%$$

$$BR(\tilde{\tau}^+ \tilde{\tau}^- \rightarrow e^+ e^- + X) = 3\%$$

$$BR(\tilde{\tau}^+ \tilde{\tau}^- \rightarrow \mu^+ \mu^- + X) = 3\%$$

1) Add same-flavor lepton channels

Potential Improvements?

CMS Displaced Lepton Search

There are several lessons from GMSB $\tilde{\tau}_{RS}$ to improve sensitivity

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1) Add same-flavor lepton channels

$$BR(\tilde{\tau}^+ \tilde{\tau}^- \rightarrow e^\pm \tau_h^\mp + X) = 23\%$$

$$BR(\tilde{\tau}^+ \tilde{\tau}^- \rightarrow \mu^\pm \tau_h^\mp + X) = 23\%$$

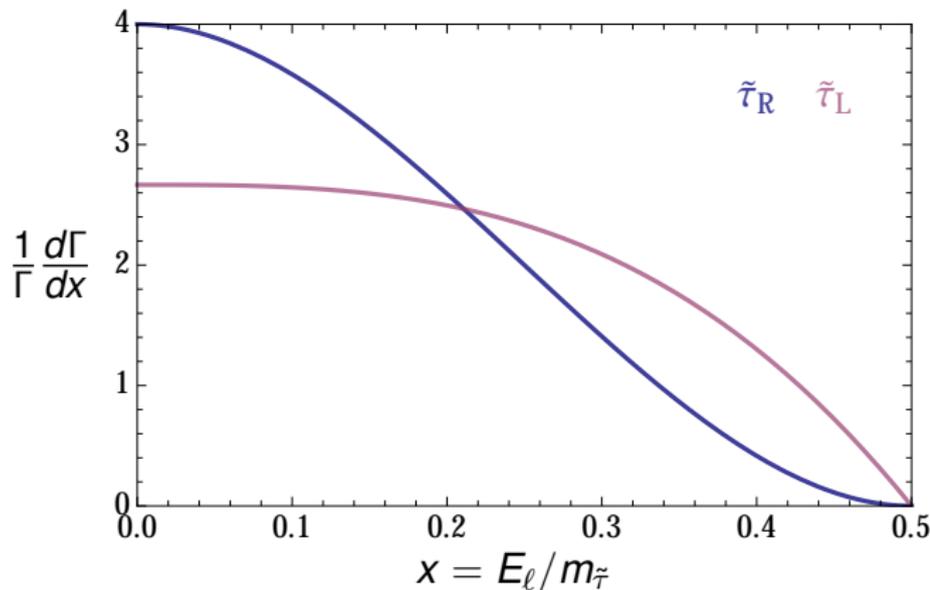
$$BR(\tilde{\tau}^+ \tilde{\tau}^- \rightarrow \tau_h^\pm \tau_h^\mp + X) = 42\%$$

2) Include hadronic τ_h s

Experimental feasibility of displaced τ_h s? (Part of why we are here)

Potential Improvements?

CMS Displaced Lepton Search



Right-handed polarized τ s from $\tilde{\tau}_R$ decays give softer leptons

3) Lower p_T thresholds can capture a lot more signal

Additional triggers – $\cancel{E}_T + ll$, \cancel{E}_T, lll , etc

Potential Improvements?

CMS Displaced Lepton Search

Search vetoes additional leptons.

Why?

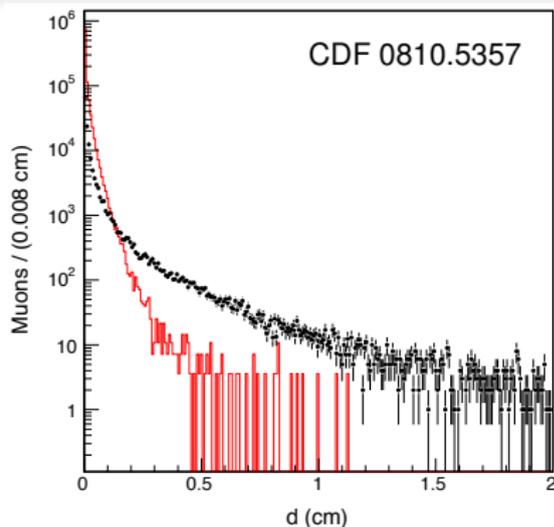
Displaced multilepton background
should be very small

Potential Improvements?

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(CDF ghost muons???)

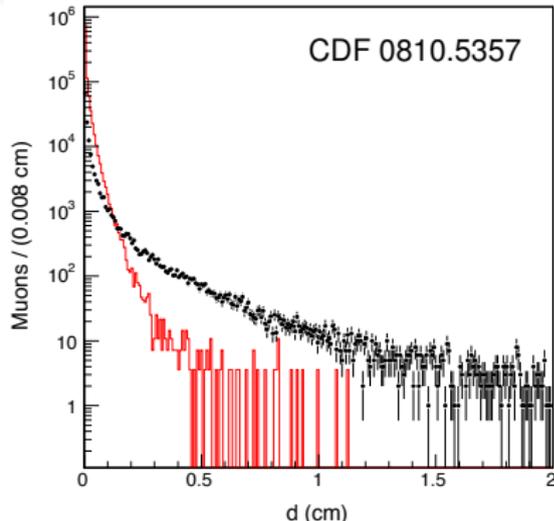


Potential Improvements?

CMS Displaced Lepton Search

Search vetoes additional leptons.
Why?

Displaced multilepton background
should be very small
(CDF ghost muons???)



Gluino & Higgsino model have additional leptons often \sim (45%, 30%)

If pair-produced object is not charged under lepton number,
additional leptons are generic

4) Don't veto additional leptons

Potential Improvements?

CMS Displaced Lepton Search

Gluino & Higgsino models have Majorana particles in chain

⇒ same-sign displaced leptons

5) Include same-sign displaced lepton signal regions

Potential Improvements?

CMS Displaced Lepton Search

Glينو & Higgsino models have Majorana particles in chain

⇒ same-sign displaced leptons

5) Include same-sign displaced lepton signal regions

5') Same-sign possibility fairly generic, be wary of CR contamination

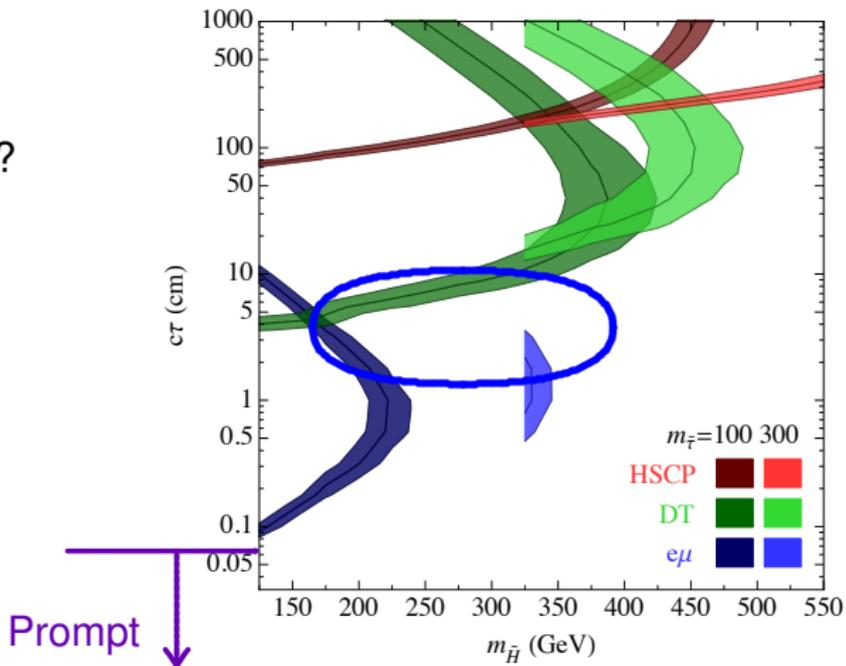
$SS\ell$ can appear in the $\tilde{t} \rightarrow \ell^+ b$ benchmark of CMS 1409.4789

Mesino oscillation allows up to 3/8 of events as $SS\ell$ Sarid, Thomas – 9909349

Potential Improvements?

CMS Displaced Lepton Search

Extend reach in $c\tau$?

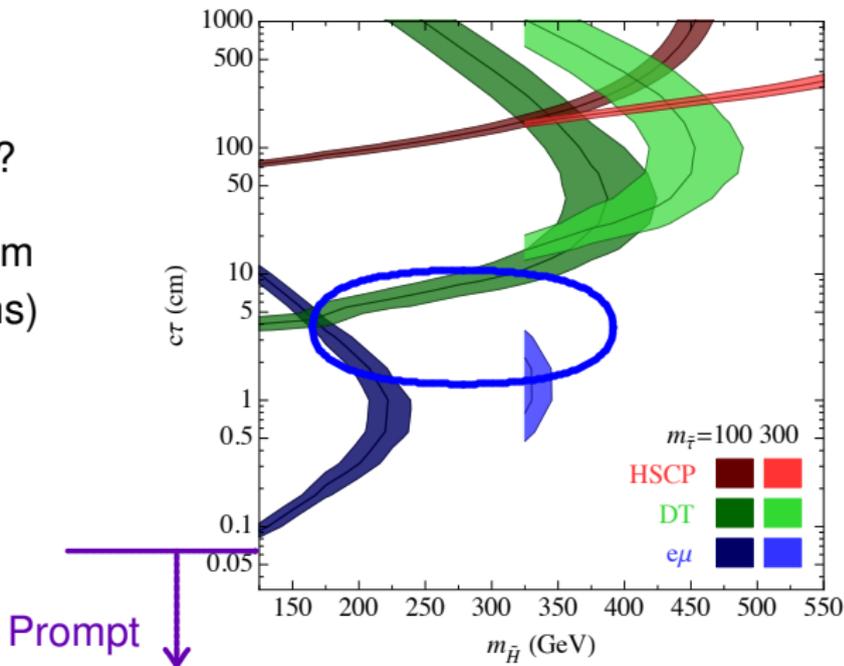


Potential Improvements?

CMS Displaced Lepton Search

Extend reach in $c\tau$?

- 6) Allow d_0 above 2 cm
(Even just for muons)



Potential Improvements?

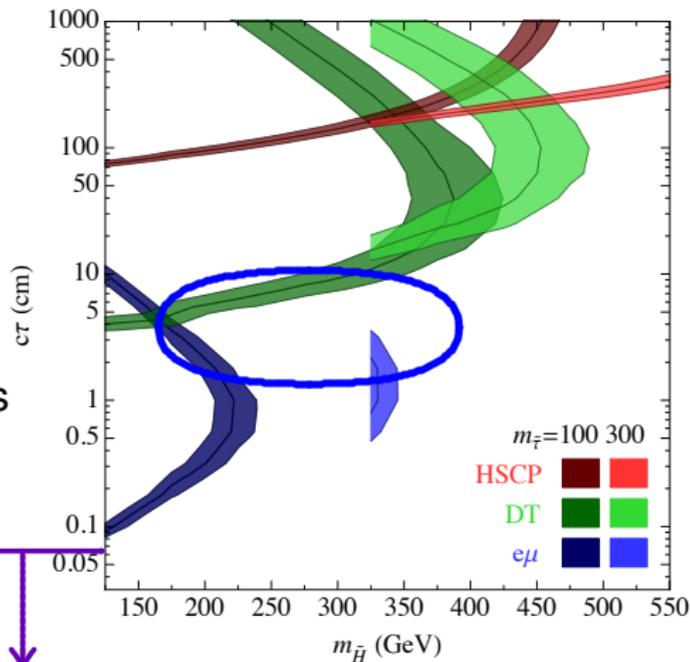
CMS Displaced Lepton Search

Extend reach in $c\tau$?

6) Allow d_0 above 2 cm
(Even just for muons)

7) Relax isolation in high d_0 bins
(Backgrounds are small there)

Prompt
↓



Summary

- Displaced τ s are a challenging (but necessary place) to find BSM
- $X^0 \rightarrow W^\pm \tau^\mp$, $X^0 \rightarrow \tau^+ \tau^-$, and $X^\pm \rightarrow \tau^\pm + \cancel{E}_T$ are well motivated
- Other models (of varying quality) exist
- Sensitivity to $\tilde{\tau}_R$ can be improved in the CMS $e^\pm \mu^\mp$ search
 - Add SF ℓ bins
 - Add τ_h bins
 - Lowered p_T thresholds
 - Extend $d_0 > 2$ cm
 - Add SS ℓ bins (CR contamination)
 - Allow extra ℓ s
 - Relax isolation in high d_0 bins
 - Add high $p_{T,\ell}$ bins (didn't discuss)
- These highlight the value of considering **multiple benchmarks**
- Motivated $h \rightarrow aa \rightarrow (\tau^+ \tau^-)(\tau^+ \tau^-)$ is a big gap at LHC
- A lot of work still needs to be done on displaced τ s!