

# B-jet production at the LHC using PBtMD

## 2020 REF Workshop

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# OUTLINE

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- PBTMD method
  - DGLAP evolution solution
  - Transverse momentum dependence
  - PB-TMD, TMD shower & MCatNLO:  $Z + b$  jets
- $Z + b$ jet production at LHC (4FL and 5FL) (8TeV CMS measurement)  
[arXiv:1611.06507](#)
  - $Z$  pT spectrum for  $Z+b$  and  $Z+bb$
  - Leading  $b$ -jet and subleading  $b$ -jet spectrum  $Z+b$  and  $Z+bb$
  - $\Delta\phi(Z, b)$  : sensitivity to initial state  $kT$
  - $\Delta\phi(b, b)$  : sensitivity to TMD initial state shower

# PB-TMD : DGLAP evolution solution

$$f(x, \mu^2) = f(x, \mu_o^2) \Delta_s(\mu^2) + \int \frac{dz}{z} \int \frac{d\mu'^2}{\mu'^2} \frac{\Delta_s(\mu^2)}{\Delta_s(\mu'^2)} P^{(R)}(z) f\left(\frac{x}{z}, \mu'^2\right)$$


- Solve integral equation via iteration:

$$f_0(x, \mu^2) = f(x, \mu_o^2) \Delta_s(\mu^2)$$

Branching at  $\mu'$

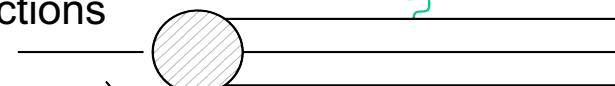
from  $\mu_o$  to  $\mu'$   
w/o branching

$$f_1(x, \mu^2) = f(x, \mu_o^2) \Delta_s(\mu^2) + \int_{\mu_o^2}^{\mu^2} \frac{d\mu'^2}{\mu'^2} \frac{\Delta_s(\mu^2)}{\Delta_s(\mu'^2)} \int_{z_M}^{z_M} \frac{dz}{z} P^{(R)}(z) f\left(\frac{x}{z}, \mu_o^2\right) \Delta_s(\mu'^2)$$

from  $\mu'$  to  $\mu$   
w/o branching

- $P^{(R)}(z)$  real emission probability (without virtual terms)
- $z_M$  introduced to separate real from virtual and non-emission probability.
- reproduces DGLAP up to  $\mathcal{O}(1 - z_M)$

- Make use of momentum sum rule to treat virtual corrections
  - Sudakov for non-resolvable and virtual corrections

$$\Delta_a(z_M, \mu^2, \mu_o^2) = \exp \left( - \sum_b \int_{\mu_o^2}^{\mu^2} \frac{d\mu'^2}{\mu'^2} \int_0^{z_M} dz P_{ab}^{(R)}(\alpha_s, z) \right)$$


# PB-TMD : Transverse Momentum Dependence

- PB-TMD obtained from NLO fit to inclusive HERA data
  - parameters of collinear initial distribution obtained
  - intrinsic Gauss distribution with:

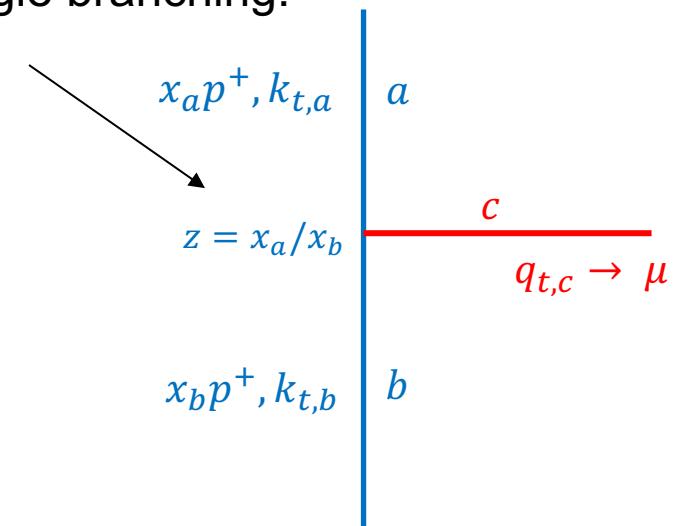
$$\mathcal{A}_{0,b}(x, k_T^2, \mu_0^2) = f_{0,b}(x, \mu_0^2) \exp(-|k_T^2|/2\sigma^2)/(2\pi\sigma^2)$$

constrained width  $\sigma^2 = q_s^2/2$  of Gauss distribution (default  $q_s = 0.5 \text{ GeV}$ )

- Parton Branching evolution generates every single branching:
  - kinematics can be calculated at every step

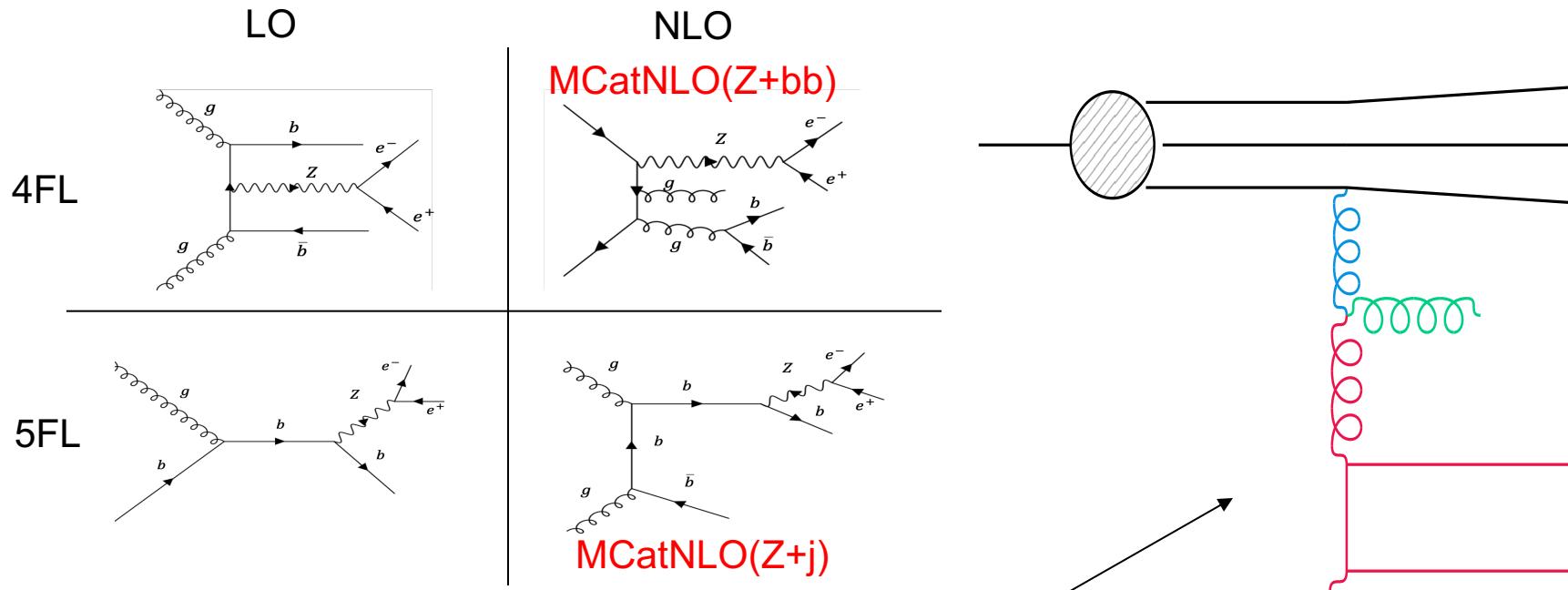
- Give physics interpretation of evolution scale:
  - angular ordering:  $\mu = q_T/(1 - z)$

- No further free parameters !



- [1] [10.1007/JHEP01\(2018\)070](https://doi.org/10.1007/JHEP01(2018)070), arXiv:1708.03279v1
- [2] [10.1016/j.physletb.2017.07.005](https://doi.org/10.1016/j.physletb.2017.07.005), arXiv:1704.01757
- [3] [10.1103/PhysRevD.99.074008](https://doi.org/10.1103/PhysRevD.99.074008), arXiv:1804.11152

# PB-TMD, TMD shower & MCatNLO: $Z + b$ jets



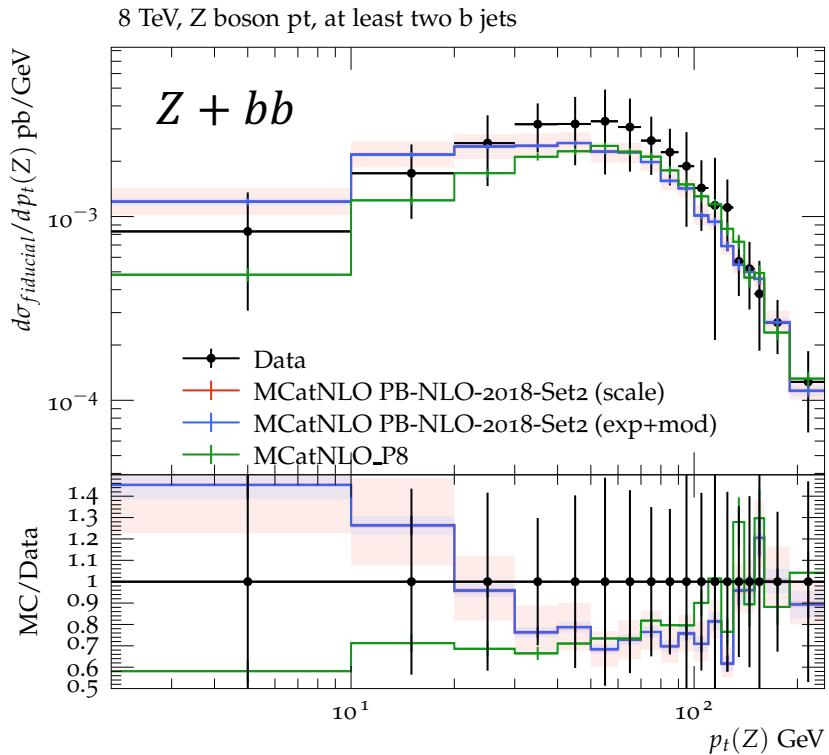
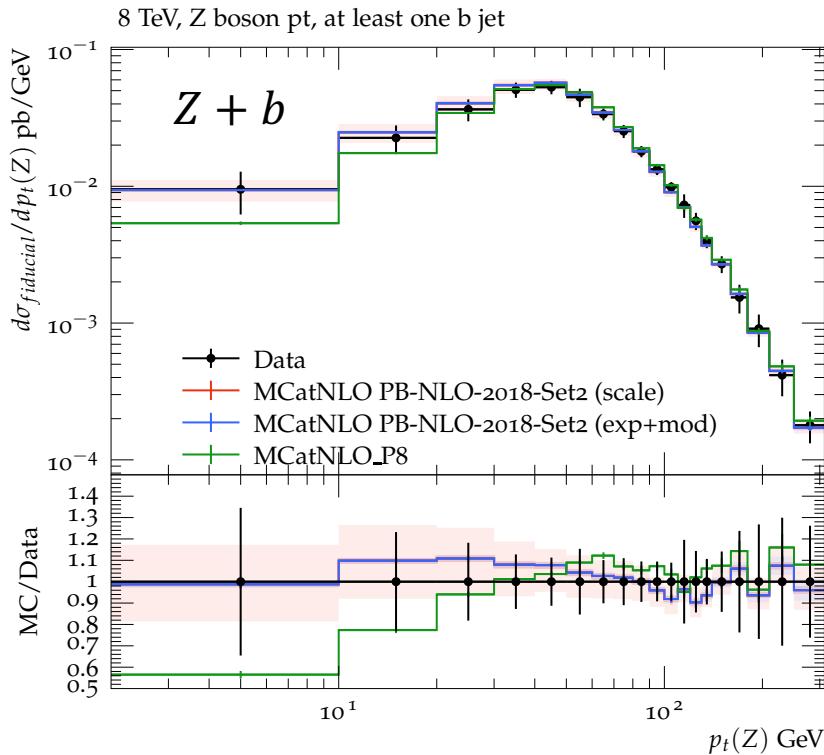
- Matrix elements from MCatNLO (using Herwigh6 subtraction terms)
- PDFs : TMDs (4FL and 5FL)
- Parton shower following TMDs for initial state
- Proton remnant , FSR and hadronization treated by standard MC (PYTHIA6)
- Uncertainties:
  - Scale unc. from MCatNLO.
  - PDF (TMD) uncertainties.

# Z pT spectrum for Z+b and Z+bb (5FL)

## ❖ Phase space cuts:

- **Leptons :**  $|\eta| < 2.4$  ,  $p_T > 20 \text{ GeV}$ ,  $71 \text{ GeV} < m_{ll} < 111 \text{ GeV}$
- **Jets :** anti- $k_T$  ,  $R = 0.5$  ,  $|\eta| < 2.4$ ., b-Hadron  $p_T > 30 \text{ GeV}$

Data points in this presentation from  
8TeV Z+bjet CMS measurement  
[arXiv:1611.06507](https://arxiv.org/abs/1611.06507)

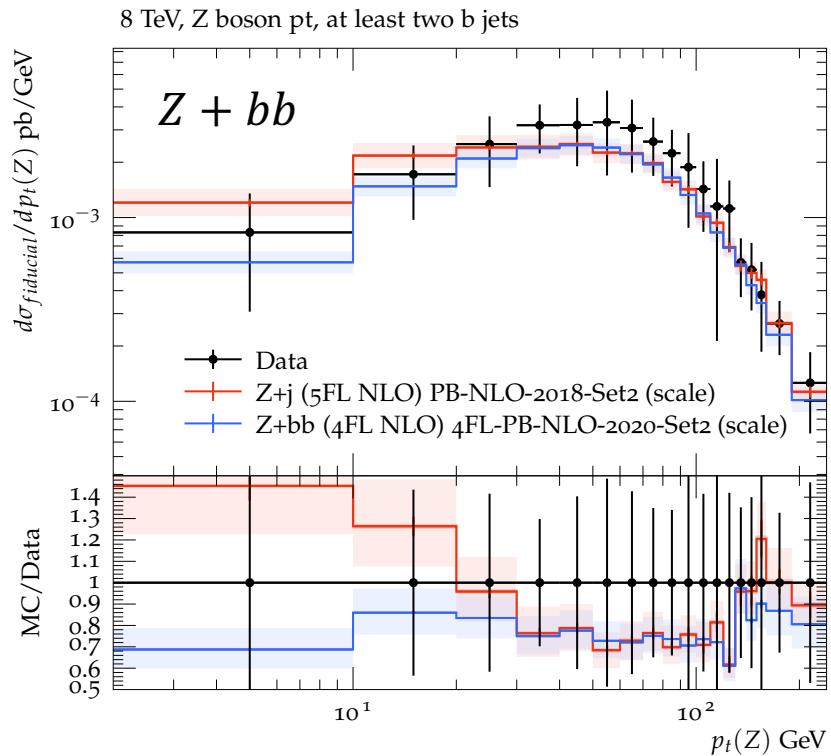
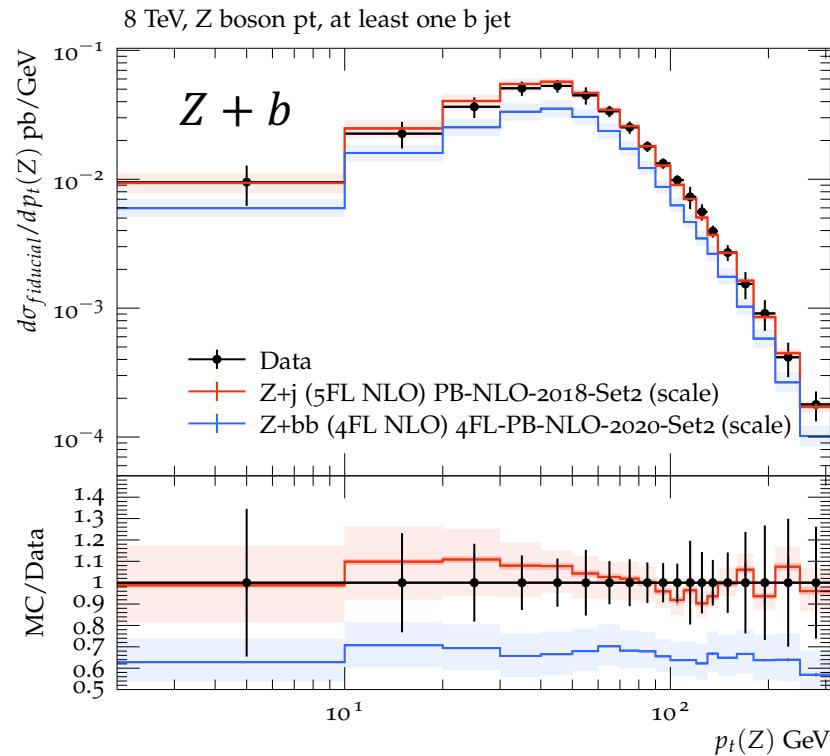


- PB-TMD shows better description (wrt. P8) at low pT from PB-TMD in  $Z + b$ .
- Scale uncertainty dominates (**red** band).

# Z pT spectrum for Z+b and Z+bb (5FL vs 4FL)

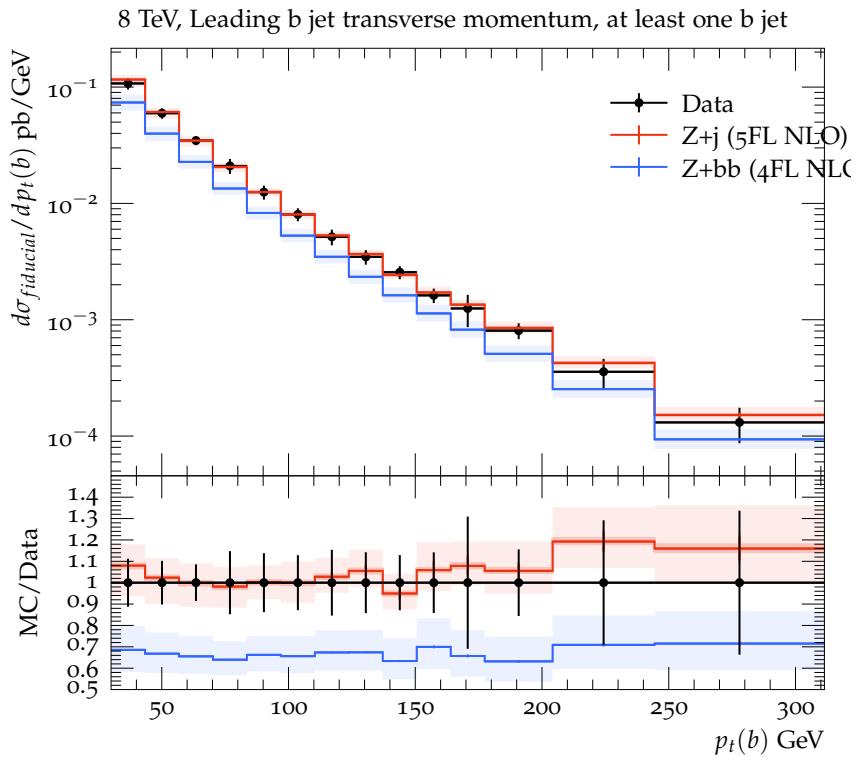
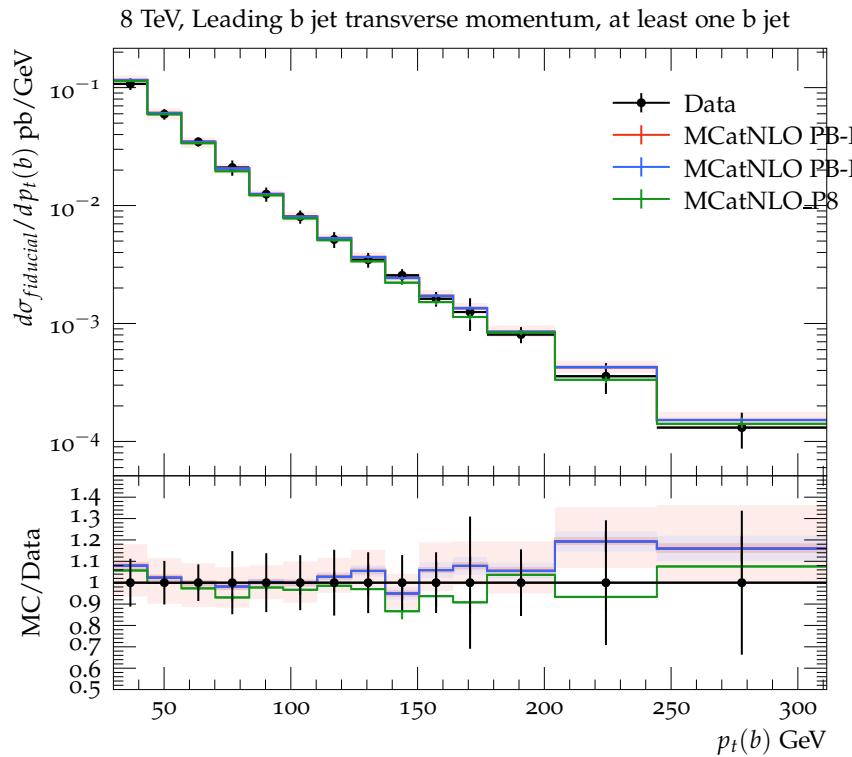
## ❖ Phase space cuts:

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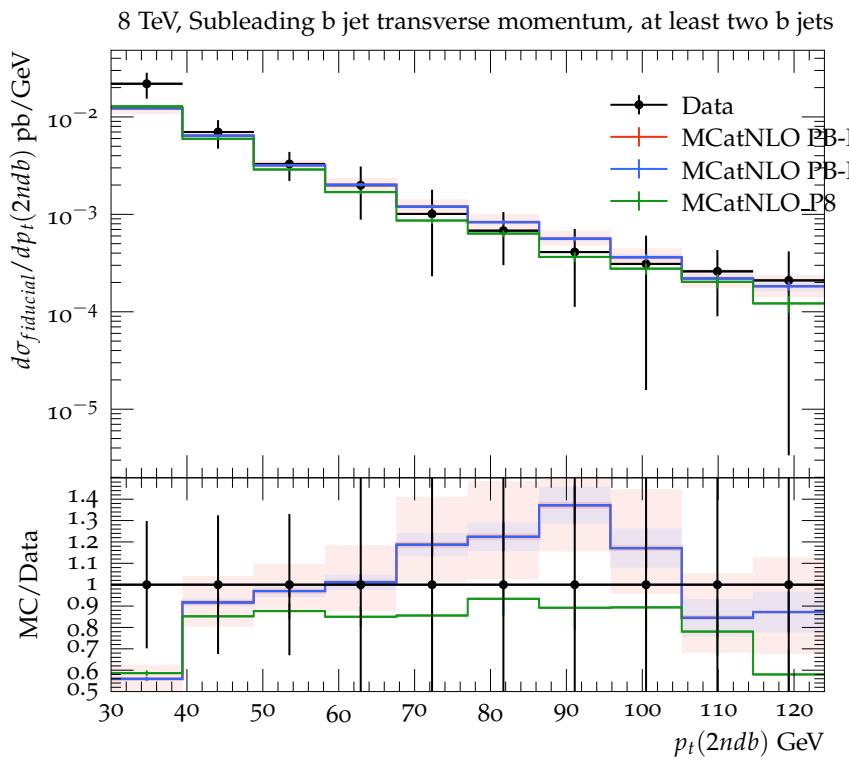
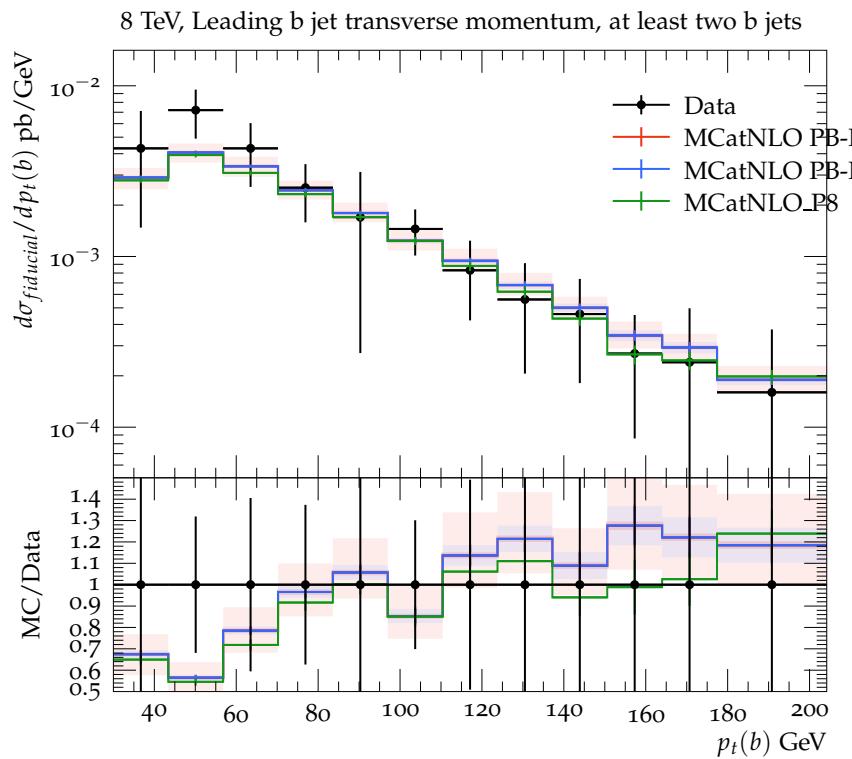
- 4FL shows a deficit in the description of  $Z + b$  data.
- 4FL and 5FL schemes agree within uncertainties in the description of  $Z + bb$  data.
- Scale uncertainty is shown (red and blue band).

# Leading b-jet pT for Z+b (4FL vs 5FL)



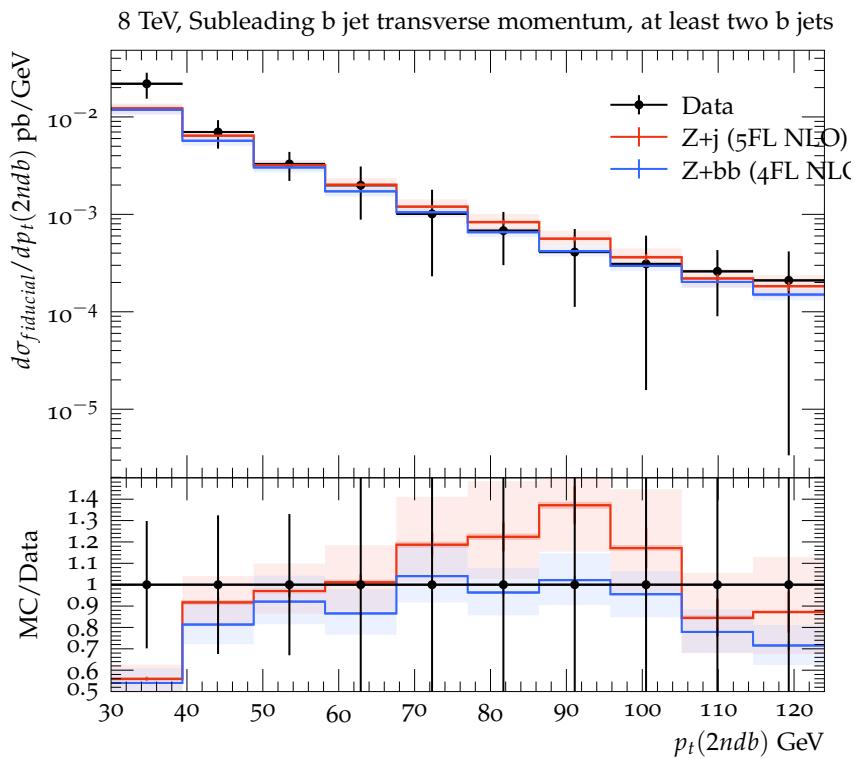
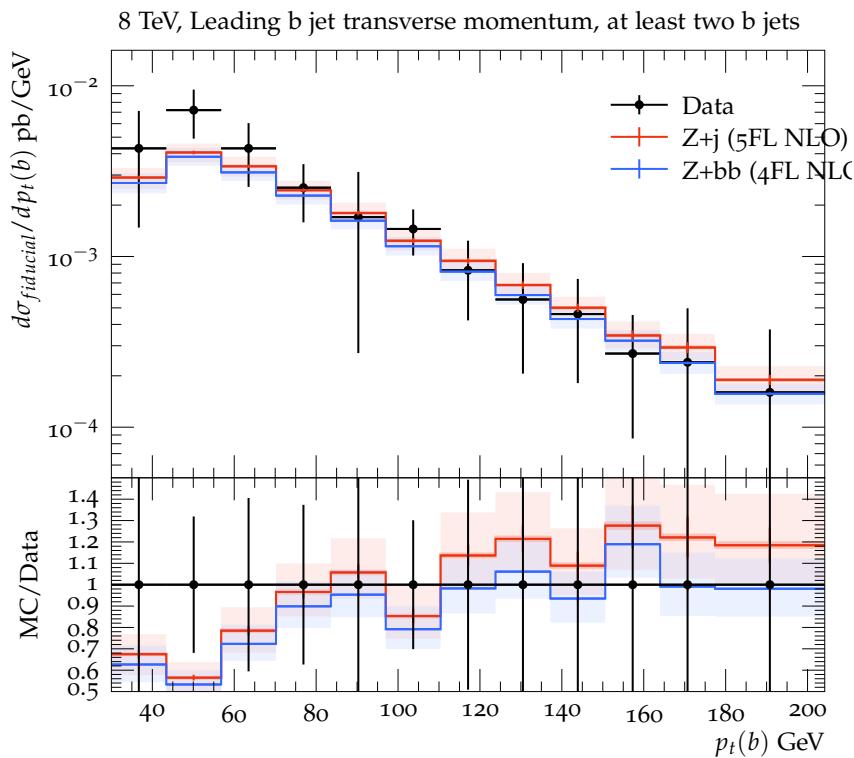
- Good description from **5FL PB-TMD** and **Pythia8** (left plot).
- **4FL PBTMD** calculation around 30% below data and prediction mainly due to missing contribution from TMD b-quark content.

# Leading and subleading b-jet pT for Z+bb (5FL)



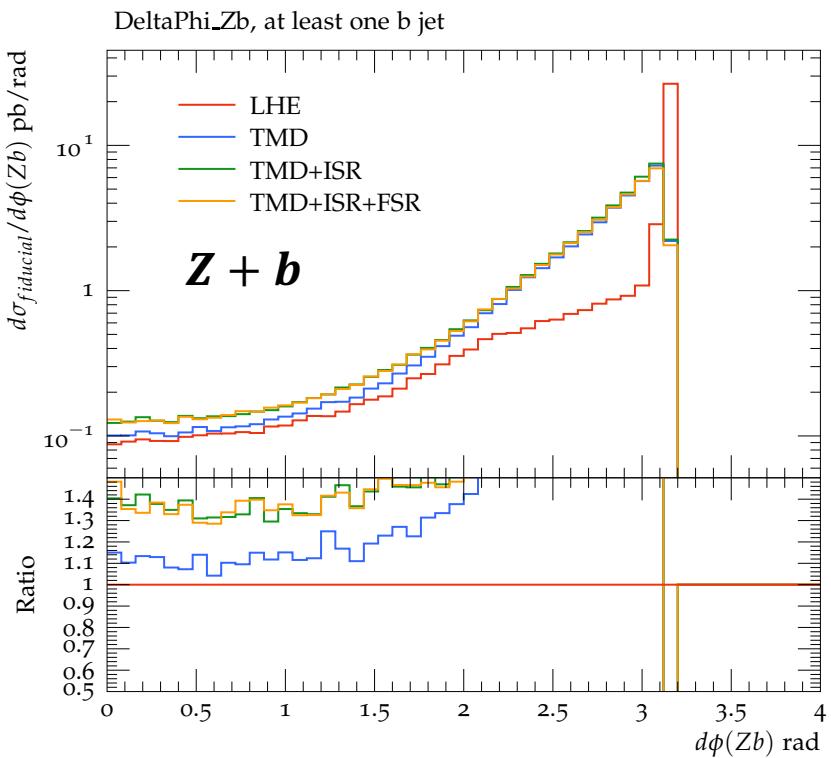
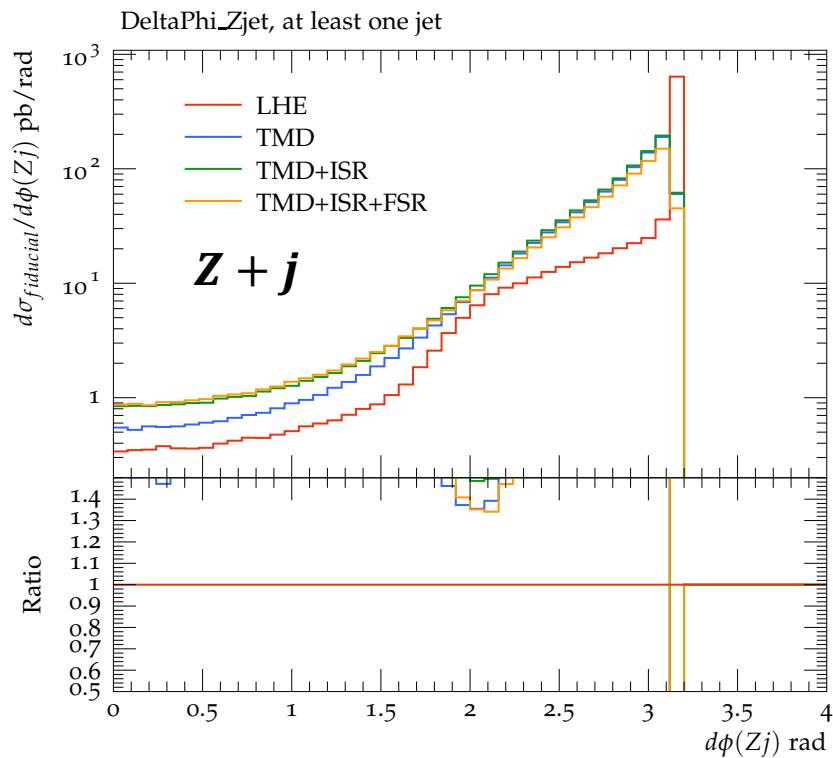
- Consistent descriptions from **PB-TMD** and **P8**.
- Scale uncertainty dominates (**red band**) over experimental uncertainty (**blue band**).

# Leading and subleading b-jet pT Z+ bb (4FL vs 5FL)



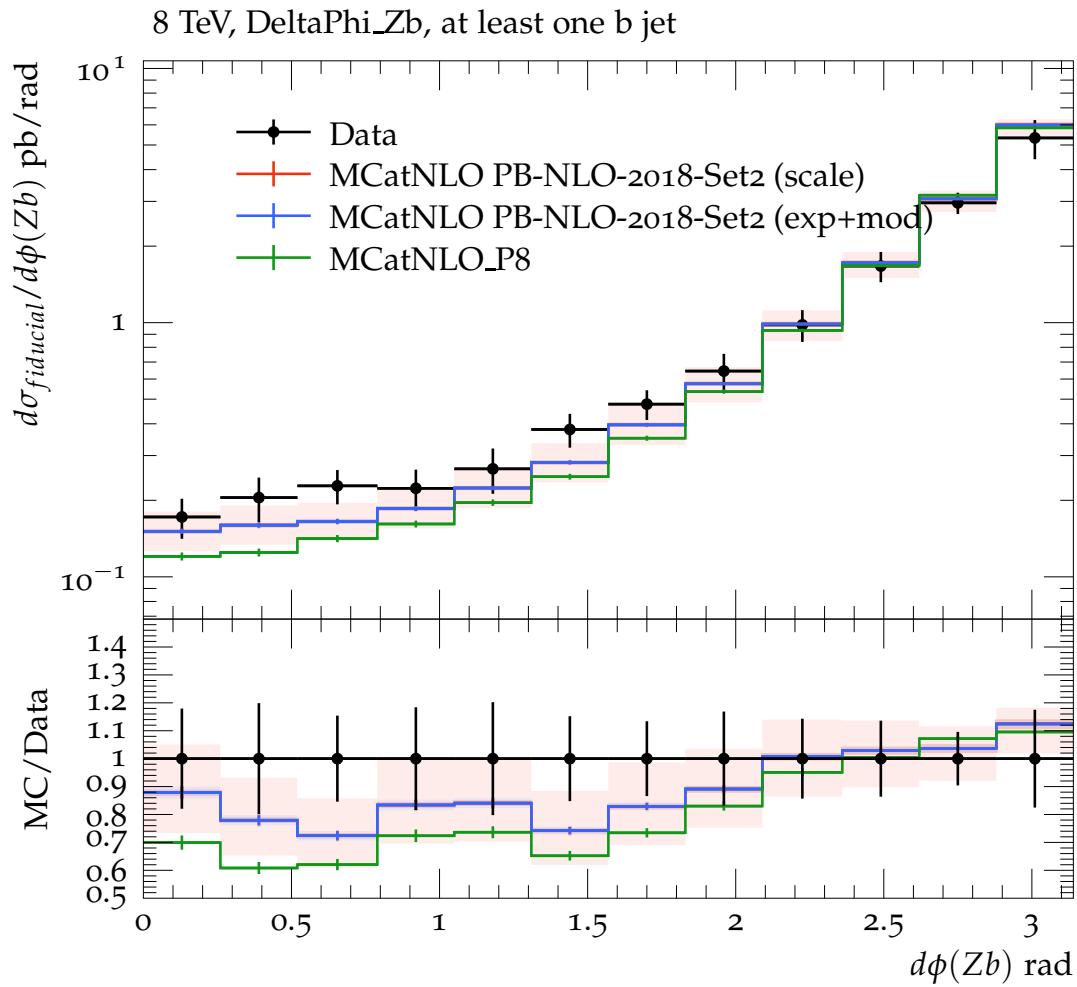
- Consistent descriptions from PB-TMDs **4FL** and **5FL** approaches.
- Scale uncertainty show as a band.

# $Z + b$ $\Delta\phi$ : sensitivity to initial state kT



- **TMD** is clearly important at large  $\Delta\phi$  specially in  $Z + b$ .
- **ISR** (TMD space shower) only small effect at small  $\Delta\phi$  on top of **TMD**.
- **FSR** (Pythia6 time shower) almost no effect on top of **TMD** and **ISR**.

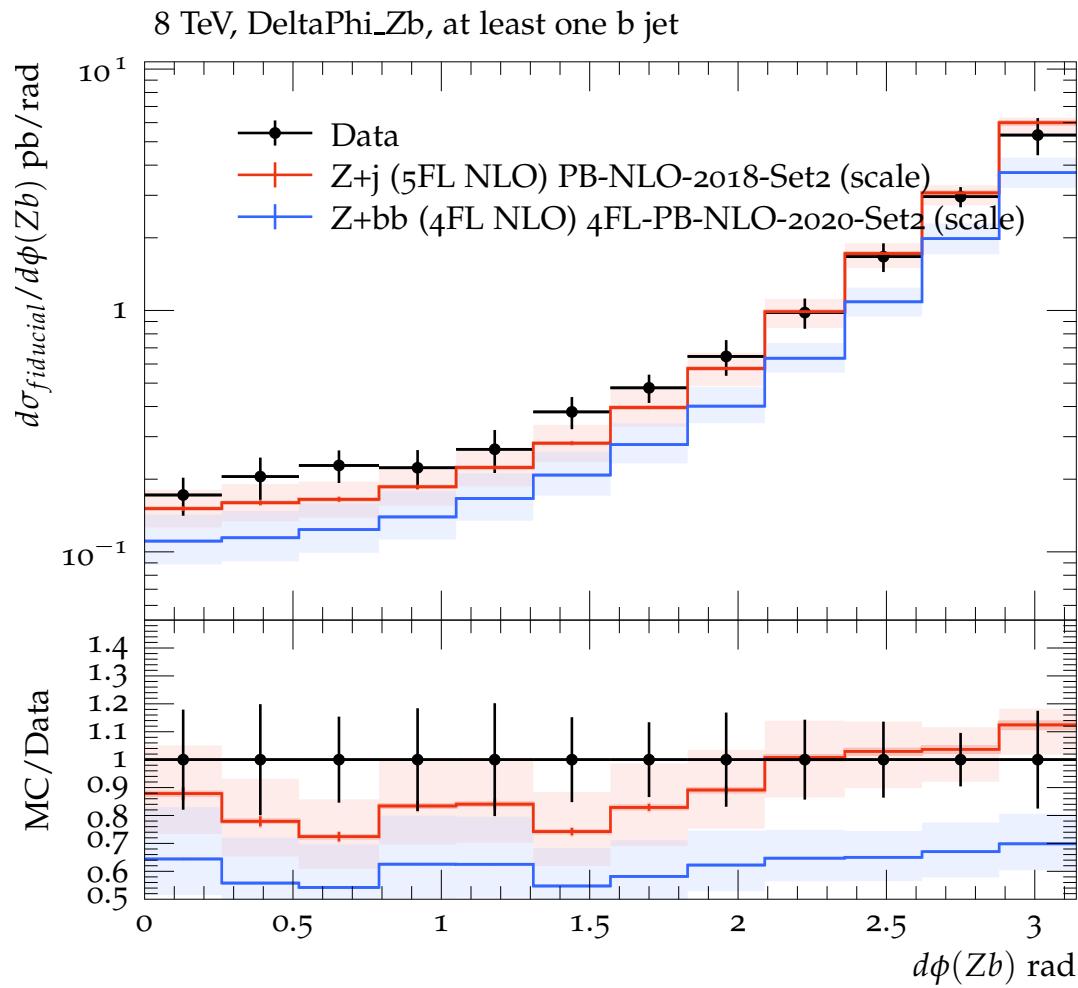
# $Z + b$ $\Delta\phi$ : comparison to measurement



- Good description in the back-to-back region where TMD effects are relevant.
- Decorrelation comes essentially from the  $k_T$  in the initial evolution.
- Initial and final showers are less important (see previous slides)
- Distribution essentially determined from PBTMD evolution.

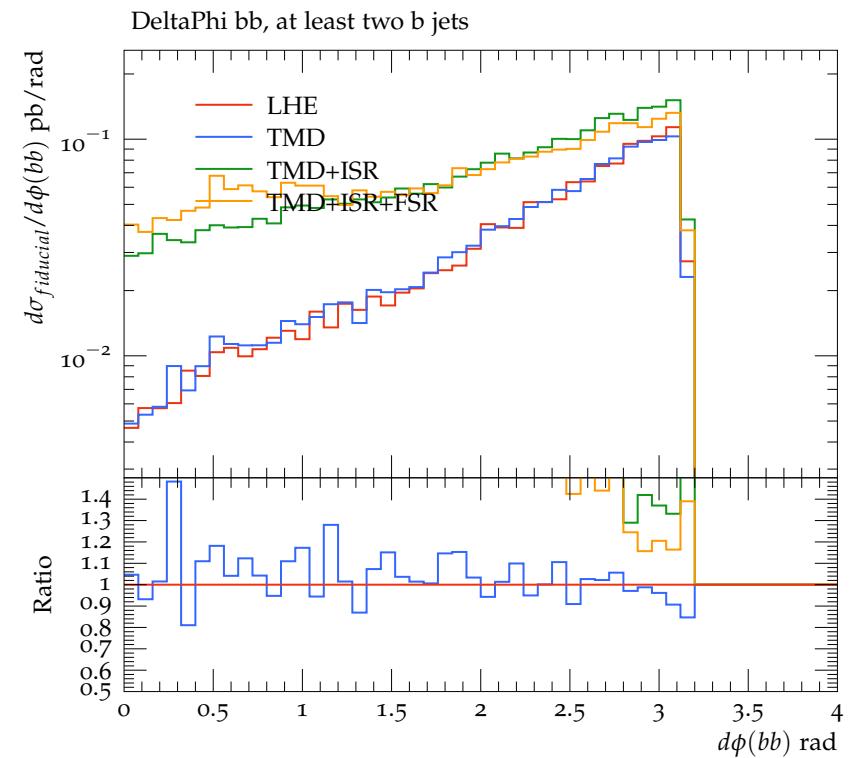
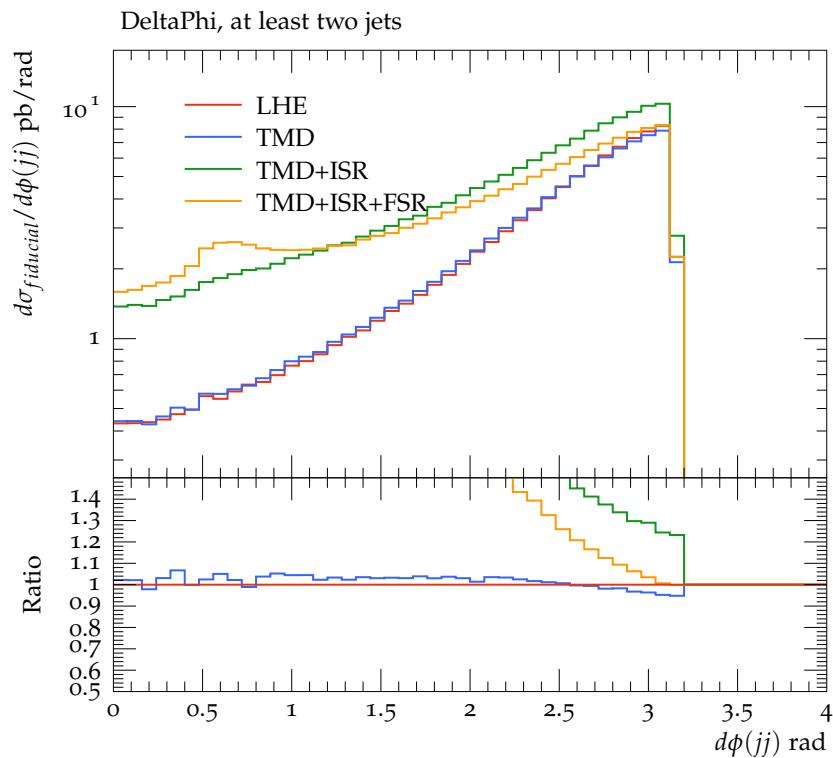
**Z + b-jet correlation tests TMD**

# $Z + b$ $\Delta\phi$ : comparison to measurement



- Good description in the back-to-back region where TMD effects are relevant.
  - Decorrelation comes essentially from the  $kT$  in the initial evolution.
  - From the difference between the predictions (**5FL** and **4FL**) we can clearly see the contribution from the b-quark content of the proton.
  - Scale uncertainty dominates.

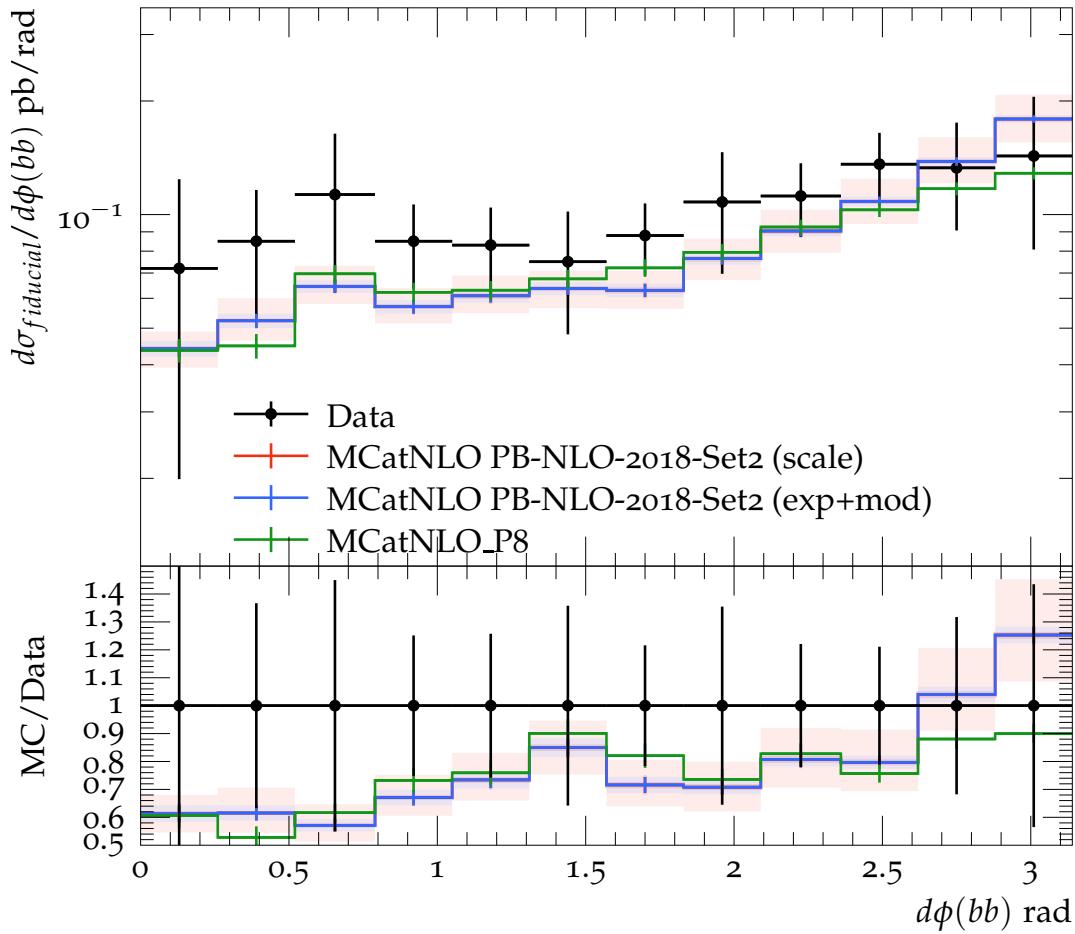
# $Z + bb$ : sensitivity TMD initial state shower



- **TMD** has almost no effect.
- **ISR** (TMD initial state shower) has a large effect on top of **TMD**.
- **FSR** (Pythia6 time shower) significant at small  $\Delta\phi$  on top of **TMD** and **ISR**.

# $Z + bb$ : Comparison to data (5FL)

8 TeV, DeltaPhi bb, at least two b jets



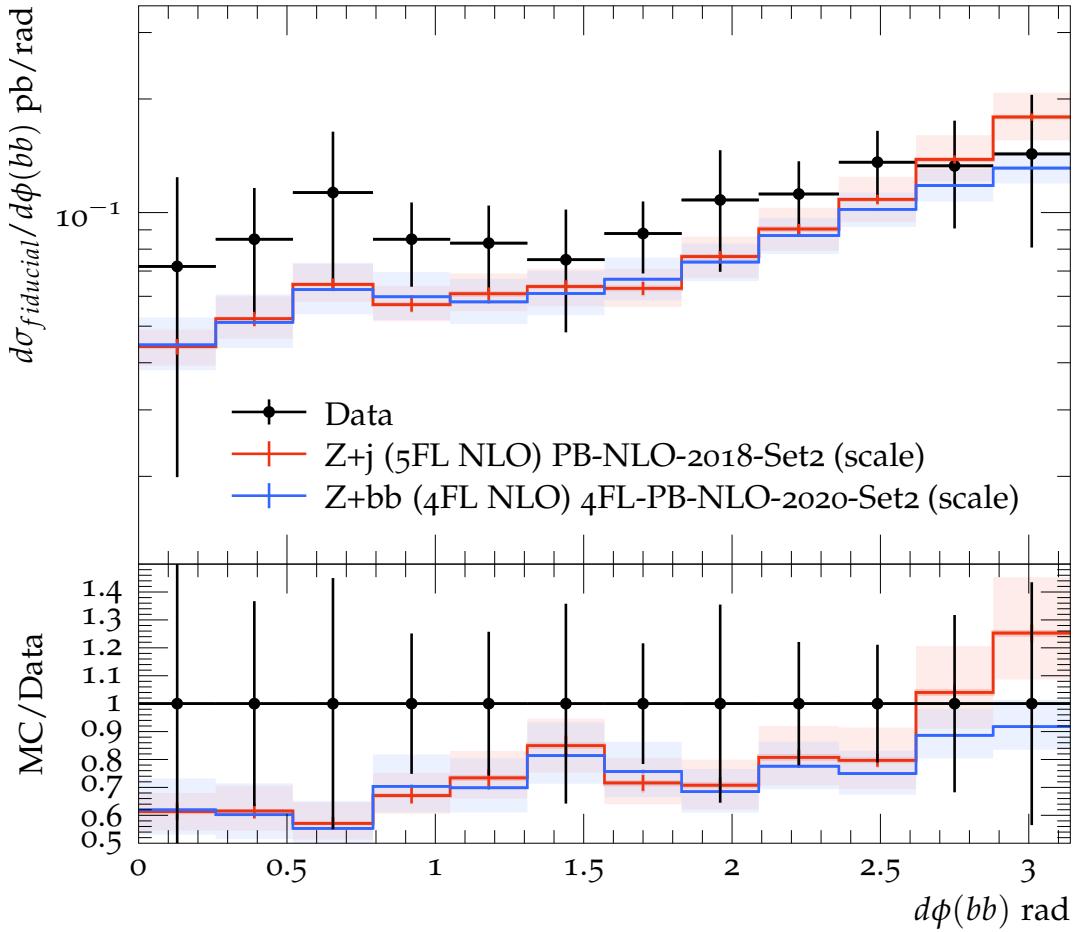
- Good description in the back-to-back region where TMD effects are relevant.
- Decorrelation comes essentially from the  $k_T$  in the initial evolution.
- Space shower (ISR) is important
- Time shower (FSR) only at small  $\Delta\phi(bb)$
- Scale uncertainty dominates.

Sensitive to b-quark TMD density and b-quark TMD shower

bb correlation tests space shower

# $Z + bb$ : Comparison to data (4FL vs 5FL)

8 TeV, DeltaPhi bb, at least two b jets



- Good description in the back-to-back region where TMD effects are relevant.
- Decorrelation comes essentially from the  $k_T$  in the initial evolution.
- Nice consistency between **5FL** and **4FL** schemes since this measurement is mainly sensitive to ISR.

# Conclusions

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- New application to  $Z + b$  jets with PBTMD 4FL and 5FL scheme.
- Distributions well described (scale uncertainty dominates over experimental uncertainties)
- Regions of sensitivity to TMD and space shower identified:
  - B-quark TMD density AND b-quark TMD shower.
- $Z + b$  jets interesting analysis for studying initial state parton radiation in very detail: TMDs and TMD showers.

# Thank you

# BACKUP : DGLAP evolution solution

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- Differential form of DGLAP equation:

$$\mu^2 \frac{\partial f(x, \mu^2)}{\partial \mu^2} = \int \frac{dz}{z} \frac{\alpha_s}{2\pi} P_+(z) f\left(\frac{x}{z}, \mu'^2\right)$$

$$\Delta_s(\mu^2) = \exp \left( - \int^{z_M} dz \int_{\mu_o^2}^{\mu^2} \frac{\alpha_s}{2\pi} \frac{d\mu'^2}{\mu'^2} P^{(R)}(z) \right)$$

- Then using  $f$  /  $\Delta_s$  in the differential DGLAP we can get the integral form:

$$f(x, \mu^2) = f(x, \mu_o^2) \Delta_s(\mu^2) + \int \frac{dz}{z} \int \frac{d\mu'^2}{\mu'^2} \frac{\Delta_s(\mu^2)}{\Delta_s(\mu'^2)} P^{(R)}(z) f\left(\frac{x}{z}, \mu'^2\right)$$

# BACK UP: DGLAP evolution solution

$$f(x, \mu^2) = f(x, \mu_o^2) \Delta_s(\mu^2) + \int \frac{dz}{z} \int \frac{d\mu'^2}{\mu'^2} \frac{\Delta_s(\mu^2)}{\Delta_s(\mu'^2)} P^{(R)}(z) f\left(\frac{x}{z}, \mu'^2\right)$$

- Solve integral equation via iteration:

$$f_0(x, \mu^2) = f(x, \mu_o^2) \Delta_s(\mu^2)$$

Branching at  $\mu'$

from  $\mu_o$  to  $\mu'$   
w/o branching

$$f_1(x, \mu^2) = f(x, \mu_o^2) \Delta_s(\mu^2) + \int_{\mu_o^2}^{\mu^2} \frac{d\mu'^2}{\mu'^2} \frac{\Delta_s(\mu^2)}{\Delta_s(\mu'^2)} \int_{z_M}^{\mu^2} \frac{dz}{z} P^{(R)}(z) f\left(\frac{x}{z}, \mu_o^2\right) \Delta_s(\mu'^2)$$

from  $\mu'$  to  $\mu$   
w/o branching

